

Real-Time Texture Streaming & Decompression

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Abstract

In this article several different lossy compression formats and streaming solutions are evaluated for rendering textures from very large texture databases. Furthermore a compression format similar to JPEG and an SIMD optimized threaded pipeline is introduced to achieve high speed streaming of textures.

1. Introduction

Textures are digitized images drawn onto geometric shapes to add visual detail. In today's computer graphics a tremendous amount of detail is mapped onto geometric shapes during rasterization. Especially uniquely textured environments require huge amounts of texture data. Not only textures with colors are used but also textures specifying surface properties like specular reflection or fine surface details in the form of normal or bump maps. All these textures can consume large amounts of storage space and bandwidth. Fortunately compression can be used to reduce the storage and bandwidth requirements.

There are compressed texture formats like DXT or S3TC that can be decompressed in hardware during rasterization on current graphics cards. However, these formats are optimized for decompression in hardware and as such typically do not result in the best possible compression ratios. Graphics applications may use vast amounts of texture data that is not displayed all at once but streamed from disk as the view point moves or the rendered scene changes. Strong compression may be required to deal with such vast amounts of texture data to keep storage and bandwidth requirements within acceptable limits. As these textures are streamed from disk they have to be decompressed on the fly before they can be used for rendering on current graphics cards.

There are several formats like GIF, PNG and JPEG-LS for lossless compression of images. Lossless (reversible) image compression techniques preserve the information so that exact reconstruction of the image is possible from the compressed data. In other words there is no loss in quality when an image is compressed to one of these formats. However, these compression formats typically also do not result in compression ratios that are high enough to store vast amounts of texture data.

In this article several different lossy compression formats and streaming solutions are evaluated for rendering textures from very large texture databases. Furthermore a compression format similar to JPEG and an SIMD optimized threaded pipeline is introduced to achieve high speed streaming of textures.

2. Lossy Color Image Compression Formats

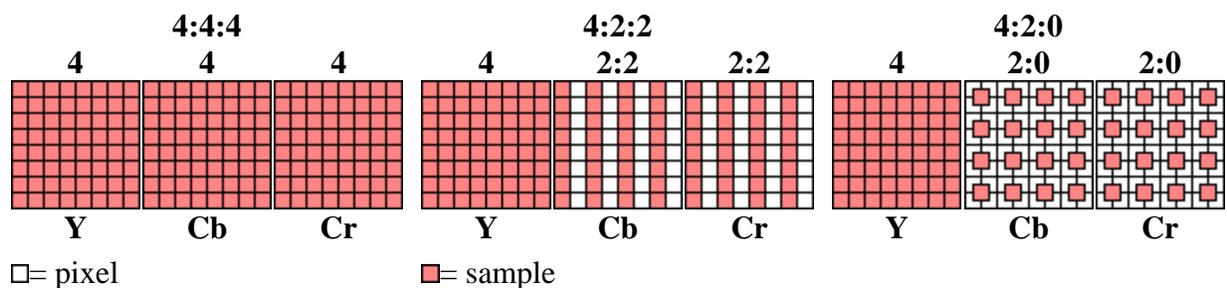
There are several standardized compression formats available for lossy compression of color images. Some well known standards are JPEG, JPEG 2000 and HD Photo.

2.1 JPEG

JPEG [1] is a lossy compression format which allows for a wide range of compression ratios at the cost of quality. Compression ratios well beyond 20:1 are possible but there may be a noticeable loss in quality. In particular JPEG compression may produce significant blocking artifacts at higher compression ratios. However, at a 10:1 compression ratio an image can usually not be distinguished by eye from the original.

The name JPEG stands for Joint Photographic Experts Group, the name of the joint ISO/CCITT committee which created the standard. JPEG was designed specifically to discard information that the human eye cannot easily see. Slight changes in color are generally not noticeable, while the human eye is much more sensitive to slight changes in intensity (light and dark). Furthermore high frequency changes are usually less noticeable to the human eye than low frequency changes.

A JPEG compressor first transforms the color data from the RGB color space to an appropriate color space to separate the intensity (luma) from the color information (chroma). JPEG uses the YCbCr color space which is the same as the color space used by PAL, MAC and Digital color television transmission. The Y component represents the luma of a pixel and the components Cb and Cr represent the blue and red chroma respectively. Chroma subsampling is often used to improve the compression ratio with little loss in quality because the human eye is less sensitive to high frequency chroma changes. Typical sampling ratios are 4:4:4 (no downsampling), 4:2:2 (reduce by factor of 2 in horizontal direction), and most commonly 4:2:0 (reduce by factor of 2 in horizontal and vertical directions).



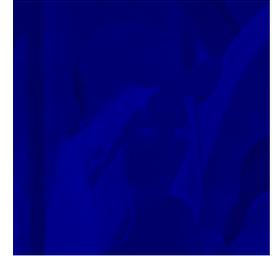
The images below show the 256x256 "Lena" image converted to YCbCr with a 4:2:0 sub-sampling ratio.



Original 256 x 256 "Lena" image.



4:2:0 luma (Y) drawn to an image.

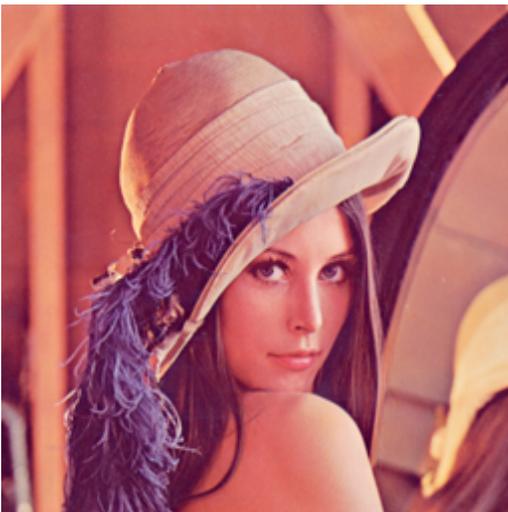


4:2:0 blue chroma (Cb) drawn to an image.

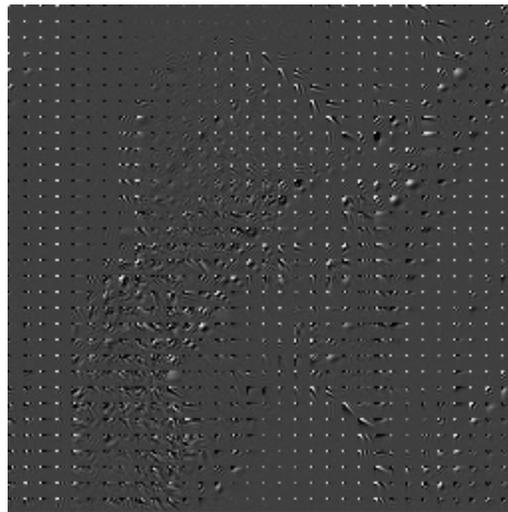


4:2:0 red chroma (Cr) drawn to an image.

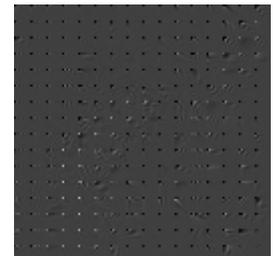
Each of the three channels, luma (Y), red chroma (Cr) and blue chroma (Cb), is processed individually. A Discrete Cosine Transform (DCT) is used on each 8x8 block of data from one of the channels to transform the spatial image data into a frequency map. The frequencies represent the average value and successively higher-frequency changes within a block. The images below show the frequency data for the "Lena" image after conversion to YCbCr with a 4:2:0 sub-sampling ratio.



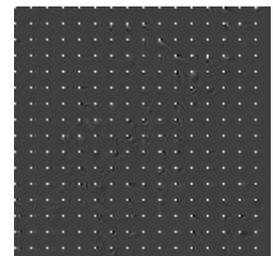
Original 256 x 256 "Lena" image.



4:2:0 luma (Y) frequencies drawn to an image.



4:2:0 blue chroma (Cb) frequencies drawn to an image.



4:2:0 red chroma (Cr) frequencies drawn to an image.

The frequency data is then quantized to remove image information that is less noticeable to the human eye. Typically high frequency data is diminished while low frequency data is maintained. A lot of the high frequency color data can usually be removed before it becomes noticeable to the human eye.

The quantized frequencies are then rearranged to zig-zag order to maximize the length of runs of zeros. The least visible coefficients, the ones most likely to be zero-ed, are grouped at the end of the sequence. The rearranged and quantized frequencies are compressed with an entropy encoder. Typically a simple Huffman encoder combined with run-length compression is used for this purpose. The JPEG standard also allows the use of Arithmetic coding which is mathematically superior to Huffman coding. However, Arithmetic coding is rarely used as it is much slower to encode and decode compared to Huffman coding.

2.2 JPEG 2000

JPEG 2000 [3, 4] is a Discrete Wavelet Transform (DWT) based image compression standard created by the Joint Photographic Experts Group committee with the intention of superseding the Discrete Cosine Transform (DCT) based JPEG standard. JPEG 2000 has superior compression performance in comparison to the JPEG standard. The compression gains over JPEG are attributed to the use of the DWT and a more sophisticated entropy encoding scheme.

A JPEG 2000 compressor first splits the image into tiles, rectangular regions of the image that are transformed and encoded separately. The purpose of these tiles is to cope with memory limitations. The compressor then transforms the color data in the tiles from the RGB color space to the YCbCr color space or uses a Reversible Component Transform (RCT) leading to three components. These components are then wavelet transformed individually to an arbitrary depth.

The result of the wavelet transform is a collection of subbands that represent several approximation scales. A subband is a set of real coefficients that represent aspects of the image associated with a certain frequency range as well as a spatial area of the image. These coefficients are subjected to uniform scalar quantization, giving a set of integer numbers. These quantized subbands are split further into precincts which are regular non-overlapping rectangular regions in the wavelet domain. Precincts are split further into code-blocks. Except those located at the edges of the image, code-blocks are located in a single subband and have equal sizes.

The encoder has to encode the bits of all quantized coefficients of a code-block, starting with the most significant bits and progressing to less significant bits by a process called the Embedded Block Coding with Optimal Truncation (EBCOT). In this encoding process, each bit-plane of the code-block gets encoded in three so called coding passes, first encoding bits of insignificant coefficients with significant neighbors, then refinement bits of significant coefficients and finally bits of coefficients without significant neighbors. The three passes are called significance propagation, magnitude refinement

and cleanup pass, respectively. The bits selected by these coding passes then get encoded by a context-driven binary arithmetic coder. The context of a coefficient is formed by the state of its nine neighbors in the codeblock. The result is a bit-stream that is split into packets where a packet groups selected passes of all code-blocks from a precinct into one indivisible unit. Packets are the key to scalability where packets containing less significant bits can be discarded to achieve lower bit-rates at the cost of quality.

Although JPEG 2000 produces superior quality compared to JPEG, the gains are modest at medium compression ratios (10:1). The improvement is typically much larger at higher compression ratios [5] but there may also be a noticeable loss in quality. JPEG 2000 eliminates some of the compression artifacts introduced by JPEG at higher compression ratios, such as blocking artifacts. However, JPEG 2000 can introduce quite prominent blurring and ringing artifacts. Furthermore JPEG 2000 decompression is significantly more computationally expensive than JPEG decompression and requires more memory during decoding.

2.3 HD Photo

HD Photo [12] (formerly known as Windows Media Photo) employs a compression algorithm optimized for the digital photography market. HD Photo offers image quality comparable to JPEG-2000 [13] with computational complexity and memory requirements closer to JPEG.

Images are processed in 16x16 macro blocks, allowing a minimal memory footprint for embedded implementations. HD Photo uses the reversible YCoCg-R color space and a reversible lapped biorthogonal transform (LBT) based on the Hadamard transform and rotation. The transform coefficients are quantized and coefficient prediction and adaptive scanning is used before entropy encoding significant bits in several passes.

The compression algorithm is computationally efficient, and is designed for high performance encoding and decoding while minimizing system resource requirements. However, even though HD Photo is not as computationally expensive as JPEG-2000, it is still a factor slower than JPEG.

3. Hardware Accelerated Decompression

Current graphics cards allow several forms of hardware decompression of color images by exploiting a GPU, video decoding units or texture units.

3.1 Inverse DCT on a GPU

Part of the JPEG decompression algorithm can be implemented in one or more fragment programs which can be executed on current GPUs. For instance the inverse Discrete Cosine Transform (DCT) can be implemented in fragment programs as shown by nVidia [15].

On a GeForce 6800 doing no other work, the performance of the inverse DCT implemented in fragment programs by nVidia is about 134 Mega Pixels per second (MP/s). However, the fragment programs only performs the inverse DCT for a grayscale image. 1.5 times the amount of work is required to decompress a 4:2:0 JPEG color image, which brings the process down to 89 MP/s. Combining the results and converting the color space back to RGB further reduces the performance.

Entropy decoding can typically not be implemented in a fragment program because it is not possible to read from a variable length bit stream on current graphics cards. As such the entropy decoding has to be done on a CPU and the quantized frequencies have to be uploaded to the graphics card. Unfortunately on today's CPUs the most expensive part of JPEG decompression is the entropy decoding (mostly due to branching). Even if a fast Huffman decoder is used with a lookup table this is typically more expensive than the inverse DCT or the color conversion. Furthermore pushing the quantized frequencies to the graphics card increases the upload. There is typically more upload bandwidth required than used to upload the uncompressed image because the frequencies cannot be uploaded as 8-bit texture components.

The nVidia inverse DCT implementation requires multiple fragment programs and multiple rendering passes. This means multiple draw calls which typically does not improve the overall performance. Obviously there is a trade between using the CPU and GPU. With a lot of Hyper Threaded CPUs out there and a growing base of multi-core CPUs, decompressing images on a CPU is usually faster than running a fragment program on the GPU because the GPU is typically already taxed with 3D rendering.

3.2 Hardware Accelerated MPEG Decoding

Most of today's graphics cards support hardware accelerated MPEG-1 or MPEG-2 decoding. MPEG-1 and MPEG-2 can be setup to store only I-frames which are close to compressed JPEG images. The MPEG decoder on the graphics card can write an MPEG-1 or MPEG-2 image directly to a texture in memory on the graphics card which can then be used for rendering. As such the hardware decoder can be used for general hardware accelerated texture decompression.

Images can be uploaded to the graphics card as MPEG-1 or MPEG-2 files with a single or multiple I-frames and they can be decompressed in hardware. During decoding these MPEG-1 or MPEG-2 files will also take up memory on the graphics card. Unfortunately current drivers are not mature enough to really benefit from hardware accelerated MPEG decoding for real-time texture decompression.

3.3. DXT Compression

The DXT format, also known as S3TC [16, 17], is designed for real-time decompression in hardware on the graphics card during rendering. DXT is a lossy compression format with a fixed compression ratio of 4:1 or 6:1. DXT compression is a form of Block Truncation Coding (BTC) where an image is divided into non-overlapping blocks and the pixels in each block are quantized to a limited number of values. The color values of pixels in a 4x4 pixel block are approximated with equidistant points on a line through color space. Such a line is defined by two end points and for each pixel in the 4x4 block an index is stored to one of the equidistant points on the line. The end points of the line through color space are quantized to 16-bit 5:6:5 RGB format and either one or two intermediate points are generated through interpolation.

Most of today's graphics cards support the DXT format in hardware. Unfortunately the compression ratio of DXT is only 6:1 for three channel color images and 4:1 for channel color images with alpha channel. These compression ratios are generally not good enough to store vast amounts of texture data. However, a DXT compressed images can be compressed down further by exploiting specific knowledge about the structure of the DXT format. Half the data in the DXT1 format is used for RGB colors in 16-bit 5:6:5 format. For each 4x4 block of pixels there are two such RGB colors that define the end points of the line through color space which is used to approximate the colors in the block. The other half of the data in the DXT1 format is used to store indices to equidistant points on the lines through color space.

The colors from all the 4x4 blocks can be placed in one or two textures and such textures can be compressed with a regular texture compressor like JPEG or HD Photo. The indices, however, are much harder to compress. The indices need to be compressed with a lossless compressor because noticeable artifacts may occur even if the indices are only off by one. A good DXT compressor will typically try to use all points on a line through color space to preserve as much detail as possible. As a result compressing the indices with an entropy encoder does not work well because the different indices occur at similar

frequencies. Furthermore the lines through color space can have any orientation in the original texture. As a result run-length or LZ-based compression does not work very well either because of the randomized nature of the sequences of indices. Only if the original texture has a lot of flat areas, or areas with smooth axis aligned color ramps the individual indices or sequences of indices will be similar and they will compress well.



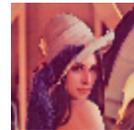
256 x 256 "Lena" image compressed to DXT1 with the ATI Compressorator.



The indices from the DXT1 format drawn to an image. The indices have been remapped to natural order on the lines through color space. There are some patterns but there is also a lot of noise.



First color image.



Second color image.

The compression of the indices can be improved by rotating and/or mirroring the indices in each 4x4 block in order to line them up. However, even then the compression ratios are still not very impressive (typically below 4:3). In other words it is hard to compress the indices for high detail images which also means it is hard to compress a DXT1 compressed image down to half its original size. Even if the color data would compress down to nothing, the indices remain and they consume half the data in the DXT1 format.

To compress a RGBA image in DXT5 format, the two textures from the DXT1 format can be extended with an alpha channel. In the DXT5 format half the data is used for colors plus an alpha channel and the other half is used to store indices either to points on lines through color space or to points on lines through alpha space. Just like the color indices, compressing the indices to points on lines through alpha space does not work well for images with a high detail alpha channel.

Tests using high detail images show that the two color (+alpha) textures can be compressed down with a JPEG compressor to about 50 to 40 percent of their DXT compressed size with little loss in quality. The indices can be compressed down to about 90 to 80 percent of their original size. In the best case this results in a compression ratio of about 10:1 for three channel color images and 7:1 for four channel color images with an alpha channel. Although these compression ratios are reasonable, it is hard to achieve these ratios for general images and it is even harder to go up to higher compression ratios.

At the cost of quality the DXT color data can be compressed down further but any loss in quality and compression artifacts are typically magnified by the DXT compression.

Another issue is that mip maps which are typically used to avoid aliasing artifacts during 3D rendering either have to be stored and compressed with a full resolution image which requires more storage space, or a DXT compressed image has to be decompressed, then mip maps have to be generated from the uncompressed DXT and they have to be re-compressed to DXT format. Creating mip maps from DXT compressed data typically produces noticeable artifacts.

4. DCT Based Compression Format

A compression format for real-time texture streaming must achieve good compression ratios and has to allow the implementation of a fast decompression algorithm on today's computers. Evaluation of the above compression formats and decompression solutions leads to a compression format very similar to JPEG. Regular JPEG is a free standard and very fast implementations of the different sub-routines used for JPEG decompression are readily available.

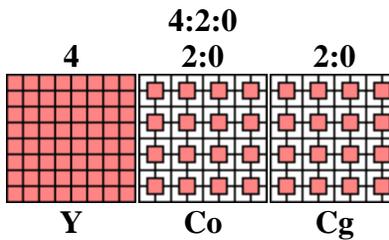
The compression format presented here is different from JPEG in that it uses the YCoCg color space instead of the YCbCr color space. The YCoCg color space was first introduced for H.264 video compression [18, 19]. The RGB to YCoCg transform has been shown to be capable of achieving a decorrelation that is much better than that obtained by various RGB to YCbCr transforms and is very close to that of the KL transform when measured for a representative set of high-quality RGB test images [19]. Furthermore the transformation from RGB to YCoCg is very simple and requires only integer additions and shifts. The following matrix transformation shows the conversion from RGB to YCoCg.

$$\mathbf{Y} = [\ 1/4 \ 1/2 \ 1/4] [\mathbf{R}]$$

$$\mathbf{Co} = [\ 1/2 \ 0 \ -1/2] [\mathbf{G}]$$

$$\mathbf{Cg} = [-1/4 \ 1/2 \ -1/4] [\mathbf{B}]$$

The compression format presented here uses a sub-sampling ratio of 4:2:0 to achieve high compression ratios at a minimal loss in quality.



The images below show the "Lena" image converted to YCoCg with a 4:2:0 sub-sampling ratio.



Original 256 x 256 "Lena" image.



4:2:0 luma (Y) drawn to an image.



4:2:0 orange chroma (Co) drawn to an image.

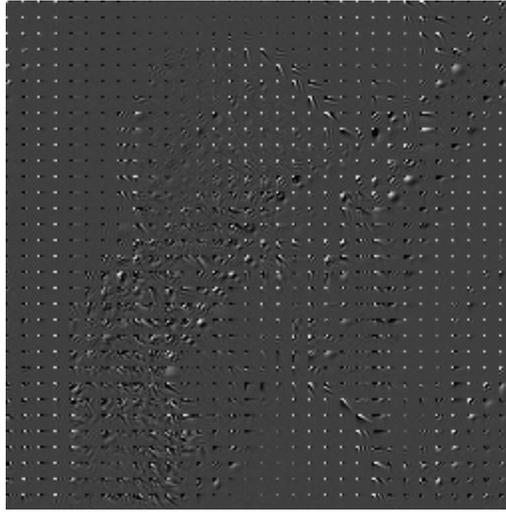


4:2:0 green chroma (Cg) drawn to an image.

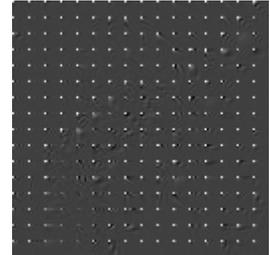
Just like JPEG each of the three channels, luma (Y), orange chroma (Co) and green chroma (Cg), is processed individually. Also just like JPEG a Discrete Cosine Transform (DCT) is used on each 8x8 block of data from one of the channels to transform the spatial image data into a frequency map. The images below show the frequency data for the "Lena" image after conversion to YCoCg with a 4:2:0 sub-sampling ratio.



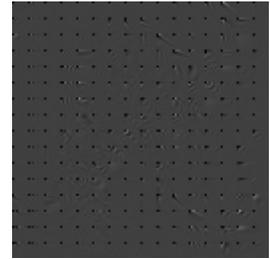
Original 256 x 256 "Lena" image.



4:2:0 luma (Y) frequencies drawn to an image.



4:2:0 orange chroma (Co) frequencies drawn to an image.



4:2:0 green chroma (Cg) frequencies drawn to an image.

The frequency data is then quantized to remove image information that is less noticeable to the human eye. The quantized frequencies are rearranged to zig-zag order and then compressed with a simple run-length and Huffman encoder.

5. Fast Decompression

A fast decompressor is required for real-time streaming of compressed textures. Decompressors for the JPEG format are readily available [20, 21]. The decompressor described here for the compression format described in section 4 is very similar to a JPEG decompressor.

Because the color data is stored in 4:2:0 format the decompressor works on tiles of 16x16 pixels. Such a tile contains one 8x8 block for each of the two chroma components and four 8x8 blocks for the luma. There is only one intermediate buffer to which the DCT coefficients for one tile are run-length and Huffman decoded. The coefficients are then inverse transformed in place in this same buffer. The color space conversion transforms YCoCg data from this intermediate buffer to RGB data directly into the destination image to minimize the memory footprint during decompression.

An implementation in C of the decompression of one tile can be found in appendix A. This particular implementation decompresses tiles with three color channels and an alpha channel. The decompression of the alpha channel can be trivially removed for the decompression of images with only three color channels.

5.1 Run-Length & Huffman Decoding

An implementation in C of the run-length and Huffman decoding can be found in appendix B. The decoder reads run-length and Huffman compressed data from a bit stream. SIMD optimized routines are readily available to fetch bits from a bit stream [22]. However, the run-length and Huffman decoder presented here does not use SIMD code. The decoder presented here is optimized to reduce the number of conditional branches and the remaining branches are setup to be more predictable. Conditional branches that are hard to predict typically result in numerous mispredictions and significant penalties on today's CPUs that implement a deep pipeline [23,24]. When a branch is mispredicted, the misprediction penalty is typically equal to the depth of the pipeline.

Bits are read from the bit stream in the routines 'GetBits' and 'PeekBits'. Both routines read bits from an intermediate buffer which may need to be re-filled regularly. This intermediate buffer is filled in 'FillBitBuffer'. Filling the bit buffer in 'FillBitBuffer' has been made branchless where the last byte of the bit stream is repeated if the decoder tries to read beyond the end of the input bit stream.

Some key observations can be made in the Huffman decoder that allow the removal of many conditional branches. First of all the Huffman codes used here are never longer than 16 bits. Furthermore by definition Huffman codes for the more frequently occurring symbols use fewer bits. In particular most symbols are encoded with 8 or less bits. As such two lookup tables are implemented for codes with 8 or less bits. The first lookup table 'look_nbits' stores the number of bits for Huffman codes with 8 or less bits. The second lookup table 'look_sym' stores the actual symbol for a given bit pattern of 8 bits that represents a Huffman code of 8 or less bits. Both lookup tables are indexed with 8

bits from the input stream. These 8 bits represent either the first 8 bits of a longer Huffman code, or a Huffman code of 8 or less bits and possibly additional bits that are not part of the Huffman code. For all bit patterns of 8 bits that represent the first 8 bits of longer Huffman codes the 'look_nbits' table stores a zero. By testing for a zero in the 'look_nbits' table the decoder can tell whether or not the first 8 bits read from the input stream contain a full Huffman code or a partial Huffman code. For Huffman codes of 8 or less bits the bits are removed from the intermediate bit buffer and the actual symbol is looked up in the 'look_sym' table.

Huffman codes with more than 8 bits are decoded in 'DecodeLong'. This routine first reads 16 bits for the longest possible Huffman code. Then a fast test is used to determine the actual number of bits for the long code. The 16 bits represent a long code of 9 up to 16 bits which is left justified to 16 bits. This left justified Huffman code is compared to a set of constants specific to the given Huffman table, where the actual code has 'n' or more bits if the left justified code is larger than or equal to 'test_nbits[n]'. The actual number of bits is determined by comparing the left justified code with all constants and accumulating the results of the comparisons. Once the actual number of bits is known the bits are removed from the intermediate bit buffer. Furthermore a lookup table is used to retrieve the symbol for the Huffman code.

After decoding the category the 'HuffmanDecode' routine reads an offset and calls the routine 'ValueFromCategory' to calculate the actual coefficient value from the category and offset. This routine has been made branchless without using a lookup table.

The end result is a run-length and Huffman decoder with small lookup tables and very few conditional branches. There are two conditional branches to fill the bit buffer, one in 'GetBits' and one in 'PeekBits'. There is one conditional branch to switch between decoding short and long Huffman codes in 'GetCategory'. There is a loop in 'DecodeLong' but this loop always executes a fixed number of iterations and can be trivially unrolled by the compiler. Furthermore there is one conditional branch for the run-length decoding in 'HuffmanDecode'.

5.2 Inverse DCT

There are several fast SIMD optimized implementations of the Inverse Discrete Cosine Transform (iDCT) available [26, 27, 28]. The iDCT algorithm used here is based on the Intel AP922 algorithm [27, 28]. This algorithm is specifically designed to exploit integer SIMD architectures while satisfying the precision requirements of the IEEE standard 1180-1900 [25].

The AP922 algorithm uses several different rounding and correction techniques to counter loss in precision. The AP922 algorithm first operates on rows using 32-bit precision, and then on columns using 16-bit precision. The row iDCT uses the MMX / SSE2 instruction '**pmaddwd**' which calculates the 2D dot product of 16-bit integers and stores the result as a 32-bit integer. The results of the dot products are added and right-shifted to less precision with `SHIFT_ROUND_ROW()`. A rounder `RND_INV_ROW (0.5`

fixed point) is added before shifting down with SHIFT_ROUND_ROW() for proper rounding.

The column iDCT uses the MMX / SSE2 instruction '**pmulhw**' which computes

$$(a * b) \gg 16.$$

This instruction rounds down and as such introduces a bias of -0.5. The AP922 algorithm adds corrections in order to counter this bias. At two points a value of one is added and at another two points a value of one is subtracted. Furthermore, in two places an 'or' instruction is used to set the least significant bit which is statistically equivalent to adding 0.5. When using a column with only zeros and assuming infinite precision, these corrections in the AP922 algorithm accumulate to the following bias values before using SHIFT_ROUND_COL().

row	bias
0	+ 1
1	+ 0.5 + sqrt(0.5)
2	- 0.5 - sqrt(0.5)
3	- 1
4	- 1
5	- 1.5 + sqrt(0.5)
6	- 0.5 - sqrt(0.5)
7	- 1

Instead of adding and or-ing values in the column iDCT, these bias values can be propagated back through the column iDCT after removing the corrections, and added to the same rounders that are used for proper rounding of the row iDCT. Through back propagation the following rounders can be derived for BITS_INV_ACC = 4. These rounders can be divided by two for the case BITS_INV_ACC = 5.

row	rounder
0	- 2048
1	+ 3755
2	+ 2472
3	+ 1361
4	+ 0
5	- 1139
6	- 1024
7	- 1301

Before doing the shift-right with SHIFT_ROUND_COL() the AP922 algorithm adds RND_INV_COL (0.5 fixed point) for proper rounding. This addition can be avoided by

adding 65536 to the above rounder for the first row. Furthermore the above rounders are added in the row iDCT before doing the SHIFT_ROUND_ROW() where the AP922 algorithm adds RND_INV_ROW for proper rounding of the result of the row iDCT. In other words not only the above rounders are added before the SHIFT_ROUND_ROW(), but also the original RND_INV_ROW.

row	rounder
0	RND_INV_ROW - 2048 + 65536
1	RND_INV_ROW + 3755
2	RND_INV_ROW + 2472
3	RND_INV_ROW + 1361
4	RND_INV_ROW + 0
5	RND_INV_ROW - 1139
6	RND_INV_ROW - 1024
7	RND_INV_ROW - 1301

The end result is the above set of rounders that add 0.5 (fixed point) before right-shifting for proper rounding at the end of the row iDCT, add a bias to each row to take care of the rounding in the column iDCT, and also add 0.5 (fixed point) before right-shifting for proper rounding at the end of the column iDCT. When these rounders are pushed forward through SHIFT_ROUND_ROW() and the column iDCT without corrections, this results in rounding that is the same as or superior to the rounding of the AP922 algorithm.

Adding all the rounders in one place does not only improve the precision but also simplifies the algorithm by removing several instructions throughout the column iDCT. In particular this saves 12 'paddsw' instructions and 4 'por' instructions in the MMX implementation and also saves 6 'paddsw' instructions and 2 'por' instructions in the SSE2 implementation. The AP922 algorithm has been modified further to perform dequantization right before the iDCT without having to temporarily spill the dequantized values to memory.

An implementation in C of the modified AP922 algorithm can be found in appendix C. MMX and SSE2 implementations can be found in appendix D and E respectively.

5.3 Color Space Conversion

SIMD optimized routines for the conversion from YCbCr to RGB as used by JPEG are readily available [29]. The compression format described in section 4, however, does not use the YCbCr color space. Instead the YCoCg color space is used which significantly reduces the computational complexity. Unlike the conversion from YCbCr to RGB, the conversion from YCoCg to RGB uses only addition and subtraction. The following matrix transformation shows the conversion from YCoCg to RGB.

$$\begin{aligned}\mathbf{R} &= [1 \quad 1 \quad -1] [\mathbf{Y}] \\ \mathbf{G} &= [1 \quad 0 \quad 1] [\mathbf{Co}] \\ \mathbf{B} &= [1 \quad -1 \quad -1] [\mathbf{Cg}]\end{aligned}$$

This transform can be implemented with as few as two additions and two subtractions as shown below.

$$\begin{aligned}\mathbf{t} &= \mathbf{Y} - \mathbf{Cg} \\ \mathbf{R} &= \mathbf{t} + \mathbf{Co} \\ \mathbf{G} &= \mathbf{Y} + \mathbf{Cg} \\ \mathbf{B} &= \mathbf{t} - \mathbf{Co}\end{aligned}$$

However, the YCoCg color data is stored in 4:2:0 format. In other words there is an unique luma value for each pixel and there is one pair of chroma values for each 2x2 block of pixels. As such the conversion from 4:2:0 YCoCg to RGB is implemented differently where for each 2x2 block of pixels a pair of chroma values is converted to three values that can be added to each unique luma value. For each block of 2x2 pixels the following three variables are calculated.

$$\begin{aligned}\mathbf{r} &= \mathbf{Co} - \mathbf{Cg} \\ \mathbf{s} &= \mathbf{Cg} \\ \mathbf{t} &= \mathbf{Co} + \mathbf{Cg}\end{aligned}$$

Then for each pixel the RGB values are calculated as follows.

$$\begin{aligned}\mathbf{R} &= \mathbf{Y} + \mathbf{r} \\ \mathbf{G} &= \mathbf{Y} + \mathbf{s} \\ \mathbf{B} &= \mathbf{Y} - \mathbf{t}\end{aligned}$$

An implementation in C of the color conversion can be found in appendix F. This routine works on one 8x8 block of a 16x16 tile at a time. For each 8x8 block the routine works on two rows at a time. In other words the routine works on rows of 2x2 blocks of pixels. The routine also writes out a decompressed alpha channel for RGBA textures. For RGB only textures this alpha channel can be trivially removed and a constant value of 255 can

be written to the destination texture for the alpha channel. The RGBA values are written to the destination texture with clamping because the quantization and DCT transform may have distorted the YCoCg and alpha values such that the conversion back to RGBA results in values that are outside the [0,255] range. MMX and SSE2 implementations can be found in appendix G and H respectively.

6 Mip Mapping & DXT Compression

Mip maps are pre-filtered collections of downsampled textures that accompany a full resolution texture intended to reduce aliasing artifacts during rendering. When streaming textures from disk these mip maps can be stored compressed with the full resolution textures. Both the full resolution texture and the mip maps can then be streamed from disk and decompressed. However, instead of storing and streaming compressed mip maps it is usually faster to generate the mip maps from the decompressed full resolution texture. Once the full resolution texture is decompressed a simple box filter can be used to create the mip maps.

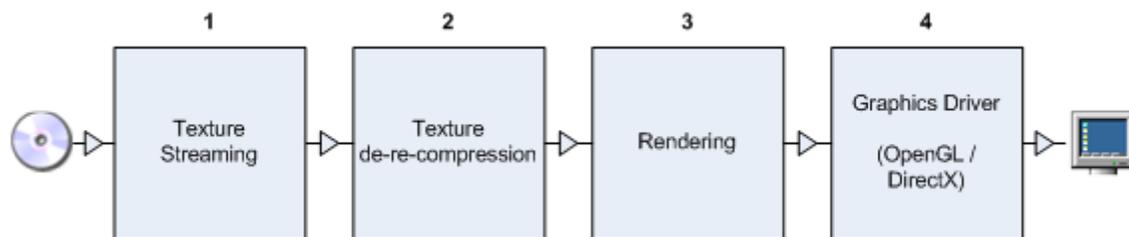
Most of today's graphics cards allow textures to be stored in a variety of compressed formats that are decompressed in hardware during rasterization. As previously described one such format which is supported by most graphics cards is S3TC also known as DXT compression [16, 17]. DXT compressed textures do not only require significantly less memory on the graphics card, they generally also render faster than uncompressed textures because of reduced bandwidth requirements. Some quality may be lost due to the DXT compression. However, when the same amount of memory is used on the graphics card there is generally a significant gain in quality.

The texture streaming solution presented here stores textures in a compression format very similar to JPEG. This format cannot be decompressed in hardware during rasterization on current graphics cards. However, it may still be desirable to save memory on the graphics card and improve the rendering performance by using textures that are stored in a compressed format that can be decompressed in hardware during rasterization. After streaming and decompressing a texture from disk and generating mip maps, the full resolution texture with mip maps can be compressed to DXT format in real-time as shown in [30]. On high end systems with more video memory available the high quality DXT compression as described in [30] can be used. On systems where video memory and performance are of no concern at all, the textures can be used without compression for the best visual quality.

7. Threaded Pipeline

The texture streaming solution presented here reads data from disk which is then decompressed and possibly re-compressed. If this process is serialized all steps in the pipeline add up and the throughput is limited by the time it takes to complete all the steps in the pipeline. Even with a very fast decompressor things add up and the throughput may not be sufficient to stream in detail at a rate which is high enough for high fidelity rendering.

A large texture database typically stores many smaller textures or the textures are broken up into many smaller tiles. As such it is possible to run different steps from the texture streaming pipeline in parallel as long as each step works on different data. The following image shows the full pipeline broken up in four threads going from streaming data from disk all the way to up to the graphics driver.



Current graphics drivers can either not be orchestrated from multiple threads or need to be synchronized first. As such there is only one thread talking to the graphics driver which is the renderer.

Threading the pipeline does not improve the latency for streaming individual textures. However, breaking the pipeline up in threads does significantly improve the throughput when continuously streaming texture data. The streaming, decompression and possibly re-compression of textures is broken up into two threads. With multi-threading the de-re-compression time is typically completely hidden by the time it takes to stream compressed data from disk because the de-re-compression is usually faster than reading data from disk, especially when streaming from a slow DVD drive. While new data is being read from disk the de-re-compression thread can decompress and recompress data that has already been read. Furthermore the streaming thread does not do a whole lot of work and mostly waits for the hard drive or DVD drive. In other words a lot of CPU time is available for the decompression thread while the streaming thread is waiting.

8. Results

The following images show the original 256x256 "Lena" image and the same image compressed with a 10:1 ratio (to 10% of the original size) and a 20:1 ratio (to 5% of the original size) using the compression format described in section 4.



original 256x256 "Lena" image

10:1 compressed 256x256 "Lena" image

20:1 compressed 256x256 "Lena" image

The streaming throughput of the decompressor described in this article is tested and compared with several decompressors for JPEG 2000, HD Photo and regular JPEG. The "JPEG 2000 JasPer" is version 1.701.0 of the JasPer JPEG 2000 decompressor [6]. This decompressor does not use any SIMD optimizations. The "JPEG 2000 OpenJPEG" is version 1.0 of the OpenJPEG [7] JPEG 2000 decompressor. Just like JasPer this decompressor does not use any SIMD optimizations. The "JPEG 2000 RV-Media" is the decompressor from the RV-Media Jpeg2000 SDK 1.0 Beta [8]. The "JPEG 2000 LeadTools" is the decompressor from the LeadTools Raster Imaging SDK Pro 14.5 [9]. The "JPEG 2000 J2K-Codec" is version 1.9 of the J2K-Codec [10] which is an SIMD optimized JPEG-2000 decompressor. The "JPEG 2000 Kakadu" is version 5.2.2 of the Kakadu JPEG 2000 decompressor [11] which is also SIMD optimized. The "HDPhoto .Net" is the HD Photo decompressor that comes with the Microsoft .Net Framework 3.0 [14]. The "HDPhoto Reference" is the reference implementation for embedded devices from the Microsoft DPK 1.0 [12]. The "JPEG IJG" is version 6b of the JPEG decompressor from the Independent JPEG Group [20]. This decompressor by default uses an integer LL&M iDCT and does not use any SIMD optimizations. The "JPEG IJG x86 SIMD" is the IJG JPEG library with x86 SIMD extensions by Miyasaka Masaru [21]. The "fast DCT" is the decompressor described in this article.

The different decompressors are tested using the 256x256 "Lena" image compressed at a 10:1 and a 20:1 ratio and a typical chroma sub-sampling ratio of 4:2:0. For the RGBA decompression the blue channel from the "Lena" image is replicated to the alpha channel. At a 10:1 compression ratio with 4:2:0 chroma sub-sampling all compressed images exhibit very good or comparable quality. At a 20:1 compression ratio all compressed

images show some visible loss in quality. The images compressed to JPEG 2000 or HD Photo typically show less noticeable loss in quality than the images compressed to JPEG or the compression format described here. The following table shows the RGB peak signal-to-noise ratio (PSNR) for the 10:1 and 20:1 compressed 256x256 "Lena" image using the different decompressors (higher = better).

RGB PSNR		
decompressor	10:1 ratio	20:1 ratio
JPEG 2000 JasPer	41.6	38.5
JPEG 2000 OpenJPEG	41.6	38.5
JPEG 2000 RV-Media	41.6	38.5
JPEG 2000 LeadTools	41.6	38.5
JPEG 2000 J2K-Codec	41.4	38.4
JPEG 2000 Kakadu	41.5	38.5
HDPhoto .Net	41.4	39.0
HDPhoto Reference	41.4	39.0
JPEG IJG	39.9	36.6
JPEG IJG x86 SIMD	39.9	36.6
fast DCT (C)	40.1	37.0
fast DCT (MMX optimized)	40.1	37.0
fast DCT (SSE2 optimized)	40.1	37.0

The following tables show the decompression performance of several decompressors in MegaPixels per second (MP/s) on an Intel 2.8 GHz dual-core Xeon and an Intel 2.9 GHz Core 2 Extreme. The compressed images are decompressed as fast as possible from memory without generating mip maps or compression to DXT. The decompression from memory is done with hot cache to make the tests reproducible using the same CPUs with as little dependencies on the memory subsystem as possible.

Throughput in Mega Pixels per second decompressing RGB from memory					Throughput in Mega Pixels per second decompressing RGBA from memory				
decompressor	10:1 ratio		20:1 ratio		decompressor	10:1 ratio		20:1 ratio	
	MP/s ¹	MP/s ²	MP/s ¹	MP/s ²		MP/s ¹	MP/s ²	MP/s ¹	MP/s ²
JPEG 2000 JasPer	0.55	1.72	0.61	1.92	JPEG 2000 JasPer	0.46	1.35	0.50	1.53
JPEG 2000 OpenJPEG	0.64	1.34	0.72	1.55	JPEG 2000 OpenJPEG	0.50	1.02	0.57	1.20
JPEG 2000 RV-Media	1.05	2.89	1.28	3.56	JPEG 2000 RV-Media	0.82	2.25	0.94	2.67
JPEG 2000 LeadTools	2.65	5.96	3.40	7.65	JPEG 2000 LeadTools	2.02	3.75	2.62	4.59
JPEG 2000 J2K-Codec	3.58	8.01	4.88	11.05	JPEG 2000 J2K-Codec	2.66	5.88	3.67	8.27
JPEG 2000 Kakadu	3.42	10.53	4.37	15.67	JPEG 2000 Kakadu	2.29	7.83	3.04	11.76
HDPhoto .Net	8.60	17.07	10.01	20.24	HDPhoto .Net	6.55	11.95	7.72	14.21
HDPhoto Reference	10.69	18.70	12.52	22.54	HDPhoto Reference	7.13	12.75	8.40	15.33
JPEG IJG	25.37	44.08	30.42	53.14	JPEG IJG	NA	NA	NA	NA
JPEG IJG x86 SIMD	54.45	103.21	67.62	129.12	JPEG IJG x86 SIMD	NA	NA	NA	NA
fast DCT (C)	30.74	48.72	34.40	55.21	fast DCT (C)	21.20	33.79	23.95	38.01
fast DCT (MMX optimized)	70.49	125.24	88.82	170.71	fast DCT (MMX optimized)	46.81	84.19	60.70	117.31
fast DCT (SSE2 optimized)	83.44	131.47	117.43	190.14	fast DCT (SSE2 optimized)	57.12	90.95	78.75	132.80

¹ Intel 2.8 GHz Dual-Core Xeon ("Paxville" 90nm NetBurst microarchitecture)

² Intel 2.9 GHz Core 2 Extreme ("Conroe" 65nm Core 2 microarchitecture)

The complete streaming solution is tested with a 12× DVD drive, with a peak outer edge throughput close to 15 MB/s. Ignoring the seek times, the peak outer edge throughput is equivalent to 5.2 RGB MP/s or 3.9 RGBA MP/s when streaming uncompressed texture data. The throughput increases significantly when using a 10:1 or 20:1 compression ratio and the SSE2 implementation of the decompressor described here. The following tables show the peak throughput when streaming and decompressing from the 12× DVD drive without using a multi-threaded pipeline.

Throughput in Mega Pixels per second streaming & decompressing RGB from a 12× DVD					Throughput in Mega Pixels per second streaming & decompressing RGBA from a 12× DVD				
decompressor	10:1 ratio		20:1 ratio		decompressor	10:1 ratio		20:1 ratio	
	MP/s ¹	MP/s ²	MP/s ¹	MP/s ²		MP/s ¹	MP/s ²	MP/s ¹	MP/s ²
JPEG 2000 JasPer	0.54	1.67	0.61	1.89	JPEG 2000 JasPer	0.45	1.31	0.50	1.50
JPEG 2000 OpenJPEG	0.63	1.31	0.72	1.53	JPEG 2000 OpenJPEG	0.49	0.99	0.57	1.81
JPEG 2000 RV-Media	1.03	2.74	1.26	3.44	JPEG 2000 RV-Media	0.80	2.13	0.93	2.58
JPEG 2000 LeadTools	2.52	5.35	3.29	7.13	JPEG 2000 LeadTools	1.92	3.42	2.54	4.34
JPEG 2000 J2K-Codec	3.35	6.95	4.66	10.00	JPEG 2000 J2K-Codec	2.49	5.12	3.51	7.48
JPEG 2000 Kakadu	3.21	8.77	4.20	13.63	JPEG 2000 Kakadu	2.16	6.53	2.93	10.23
HDPhoto .Net	7.39	12.88	9.14	16.97	HDPhoto .Net	5.61	9.16	7.03	12.04
HDPhoto Reference	8.88	13.78	11.18	18.55	HDPhoto Reference	6.04	9.63	7.59	12.83
JPEG IJG	17.10	23.95	23.58	35.27	JPEG IJG	NA	NA	NA	NA
JPEG IJG x86 SIMD	26.71	34.77	41.11	57.87	JPEG IJG x86 SIMD	NA	NA	NA	NA
fast DCT (C)	19.38	25.25	25.90	36.17	fast DCT (C)	13.77	18.17	18.36	25.62
fast DCT (MMX optimized)	30.07	36.96	48.09	64.96	fast DCT (MMX optimized)	21.37	26.80	34.26	47.08
fast DCT (SSE2 optimized)	32.20	37.48	55.39	67.59	fast DCT (SSE2 optimized)	23.29	27.45	39.35	49.39

¹ Intel 2.8 GHz Dual-Core Xeon ("Paxville" 90nm NetBurst microarchitecture)

² Intel 2.9 GHz Core 2 Extreme ("Conroe" 65nm Core 2 microarchitecture)

With a threaded pipeline the throughput increases significantly and the streaming solution presented here is typically limited by the DVD throughput as shown in the following tables.

Throughput in Mega Pixels per second streaming & decompressing RGB from a 12× DVD using a threaded pipeline					Throughput in Mega Pixels per second streaming & decompressing RGBA from a 12× DVD using a threaded pipeline				
decompressor	10:1 ratio		20:1 ratio		decompressor	10:1 ratio		20:1 ratio	
	MP/s ¹	MP/s ²	MP/s ¹	MP/s ²		MP/s ¹	MP/s ²	MP/s ¹	MP/s ²
JPEG 2000 JasPer	0.55	1.72	0.61	1.92	JPEG 2000 JasPer	0.46	1.35	0.50	1.53
JPEG 2000 OpenJPEG	0.64	1.34	0.72	1.55	JPEG 2000 OpenJPEG	0.50	1.02	0.57	1.20
JPEG 2000 RV-Media	1.05	2.89	1.28	3.56	JPEG 2000 RV-Media	0.82	2.25	0.94	2.67
JPEG 2000 LeadTools	2.65	5.96	3.40	7.65	JPEG 2000 LeadTools	2.02	3.75	2.62	4.59
JPEG 2000 J2K-Codec	3.58	8.01	4.88	11.05	JPEG 2000 J2K-Codec	2.66	5.88	3.67	8.27
JPEG 2000 Kakadu	3.42	10.53	4.37	15.67	JPEG 2000 Kakadu	2.29	7.83	3.04	11.76
HDPhoto .Net	8.60	17.07	10.01	20.24	HDPhoto .Net	6.55	11.95	7.72	14.21
HDPhoto Reference	10.69	18.70	12.52	22.54	HDPhoto Reference	7.13	12.75	8.40	15.33
JPEG IJG	25.37	44.08	30.42	53.14	JPEG IJG	NA	NA	NA	NA
JPEG IJG x86 SIMD	52.43	52.43	67.62	104.86	JPEG IJG x86 SIMD	NA	NA	NA	NA
fast DCT (C)	30.74	48.72	34.40	55.21	fast DCT (C)	21.20	33.79	23.95	38.01
fast DCT (MMX optimized)	52.43	52.43	88.82	104.86	fast DCT (MMX optimized)	39.32	39.32	60.70	78.64
fast DCT (SSE2 optimized)	52.43	52.43	104.86	104.86	fast DCT (SSE2 optimized)	39.32	39.32	78.64	78.64

¹ Intel 2.8 GHz Dual-Core Xeon ("Paxville" 90nm NetBurst microarchitecture)

² Intel 2.9 GHz Core 2 Extreme ("Conroe" 65nm Core 2 microarchitecture)

The above tables show that without SIMD optimizations the streaming of texture data with a 10:1 or 20:1 compression ratio is limited not by the DVD throughput but by the decompressor throughput. However, with SIMD optimizations the throughput is only limited by the throughput of the DVD drive and the decompression time is completely hidden. At higher compression ratios the streaming performance typically improves. Not only are the bandwidth requirements reduced, the decompression becomes faster as well because at higher compression ratios an entropy decoder has to decode fewer bits. All tests shown here are with the 256x256 "Lena" image. For other images the RGB-PSNR may be different when using to the various compression formats. However, the performance of the different decompressors is mostly dependent on the compression ratio and typically varies very little with different images.

It is interesting to relate the streaming performance to realistic rendering of a walk/run/drive-through over uniquely textured terrain. To simplify the calculations the view point is assumed to be moving over a flat terrain and the texture detail is displayed in square layers around the view point. Each layer around the view point displays the same number of pixels but a lower detail layer is twice the size in world coordinates than the higher detail layer directly above it. To render the flat terrain at a decent resolution of 1024 x 768 or higher, a typical resolution of 2048 x 2048 pixels is used for each square layer. If there are five square layers of 2048 x 2048 pixels there are a total of 5 x 2048 x 2048 pixels (about 21 Mega Pixels) available for rendering at any time. As the view point

moves the layers have to be updated and essentially rows and columns of pixels have to be updated at the side(s) of the square layers in the direction in which the view point moves. In the worst case the view point moves along a diagonal and both a row and column of pixels need to be updated. Assuming there are four pixels per square inch on the highest detail layer, this amounts to 11209 pixels that have to be updated per inch of movement along the diagonal.

The average walking speed for a human is about 3 miles per hour which equals about 53 inches per second. At this speed about 0.59 mega pixels have to be streamed per second to update the texture detail around the view point. A very fast human can run at a speed of up to 20 miles per hour which equals about 352 inches per second. At this speed about 3.95 mega pixels have to be streamed per second. When driving a car at 80 miles per hour about 15.78 mega pixels have to be streamed per second. These numbers are for rendering a terrain which is completely flat without any elevation. For a terrain with hills and mountains the amount of texture detail that needs to be updated can be up to 1.5 times higher.

Although the streaming pipeline is threaded, none of the decompressors tested above is using multiple threads. During the streaming tests the CPU is doing no other work than decompressing data. On single CPU/core systems there is usually only a small percentage of the CPU available for texture streaming and decompression because the CPU is typically already taxed with other things like rendering. Furthermore mip maps may have to be generated for the streamed textures and the textures including mip maps may need to be compressed to DXT format which also consumes CPU time. In other words on systems with few CPUs/cores it is even more important to use a very fast SIMD optimized decompressor in order to stream in texture data at a rate high enough for high fidelity rendering.

9. Conclusion

On today's computers, especially computers with multiple CPUs or cores, real-time streaming of vast amounts of texture data can be achieved by using compression and a high performance SIMD optimized decompressor. Furthermore the streaming throughput can be improved significantly by using multi-threading to break up the texture streaming pipeline into multiple steps that can run in parallel.

10. Future Work

As faster CPUs and systems with more CPUs or cores become available it will become advantageous to use compression formats that achieve better quality and higher compression ratios at the cost of more expensive decompression. As more CPU time becomes available compression formats like JPEG 2000 and HD Photo typically achieve acceptable quality at higher compression ratios and as such improve the streaming throughput as long as the throughput is not limited by the time required for decompression.

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Appendix A

```
/*
Decompression Of One Tile
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This code is free software; you can redistribute it and/or
modify it under the terms of the GNU Lesser General Public
License as published by the Free Software Foundation; either
version 2.1 of the License, or (at your option) any later version.

This code is distributed in the hope that it will be useful,
but WITHOUT ANY WARRANTY; without even the implied warranty of
MERCHANTABILITY or FITNESS FOR A PARTICULAR PURPOSE. See the GNU
Lesser General Public License for more details.
*/

struct HuffmanTable {
    ...
};

HuffmanTable huffTableYDC;
HuffmanTable huffTableYAC;
HuffmanTable huffTableCoCgDC;
HuffmanTable huffTableCoCgAC;
HuffmanTable huffTableADC;
HuffmanTable huffTableAAC;

unsigned short quantTableY[] = { ... };
unsigned short quantTableCoCg[] = { ... };
unsigned short quantTableA[] = { ... };

int dcY;
int dcCo;
int dcCg;
int dcA;

void DecompressTileRGBA( byte *rgba, int stride ) {
    ALIGN16( short YCoCgA[10*64] );

    // Y: 4 blocks, Co: 1 block, Cg: 1 block
    HuffmanDecode( YCoCgA + 0*64, huffTableYDC, huffTableYAC, &dcY );
    HuffmanDecode( YCoCgA + 1*64, huffTableYDC, huffTableYAC, &dcY );
    HuffmanDecode( YCoCgA + 2*64, huffTableYDC, huffTableYAC, &dcY );
    HuffmanDecode( YCoCgA + 3*64, huffTableYDC, huffTableYAC, &dcY );
    HuffmanDecode( YCoCgA + 4*64, huffTableCoCgDC, huffTableCoCgAC, &dcCo );
    HuffmanDecode( YCoCgA + 5*64, huffTableCoCgDC, huffTableCoCgAC, &dcCg );

    // Inverse DCT of YCoCg channels
    IDCT( YCoCgA + 0*64, quantTableY, YCoCgA + 0*64 );
    IDCT( YCoCgA + 1*64, quantTableY, YCoCgA + 1*64 );
    IDCT( YCoCgA + 2*64, quantTableY, YCoCgA + 2*64 );
    IDCT( YCoCgA + 3*64, quantTableY, YCoCgA + 3*64 );
    IDCT( YCoCgA + 4*64, quantTableCoCg, YCoCgA + 4*64 );
    IDCT( YCoCgA + 5*64, quantTableCoCg, YCoCgA + 5*64 );

    // Alpha: 4 blocks
    HuffmanDecode( YCoCgA + 6*64, huffTableADC, huffTableAAC, &dcA );
    HuffmanDecode( YCoCgA + 7*64, huffTableADC, huffTableAAC, &dcA );
    HuffmanDecode( YCoCgA + 8*64, huffTableADC, huffTableAAC, &dcA );
    HuffmanDecode( YCoCgA + 9*64, huffTableADC, huffTableAAC, &dcA );
}
```

```
// Inverse DCT of Alpha channel
IDCT( YCoCgA + 6*64, quantTableA, YCoCgA + 6*64 );
IDCT( YCoCgA + 7*64, quantTableA, YCoCgA + 7*64 );
IDCT( YCoCgA + 8*64, quantTableA, YCoCgA + 8*64 );
IDCT( YCoCgA + 9*64, quantTableA, YCoCgA + 9*64 );

// Color conversion
YCoCgAToRGBA( YCoCgA, rgba, stride );
}
```

Appendix B

```
/*
Run-Length and Huffman Decoding of DCT Coefficients
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Lesser General Public License for more details.
*/

int jpeg_natural_order[64+16] = { ... };

const int HUFF_WORD_SIZE = 8; // symbol size in bits
const int HUFF_MAXBITS = 16; // maximum number of bits in any code
const int HUFF_LOOKUPBITS = 8; // lookup table for codes with less than this number of bits

struct HuffmanTable {
    int minCode[HUFF_MAXBITS+1]; // minCode[k] is smallest code of length k
    int symOffset[HUFF_MAXBITS+1]; // symOffset[k] is index into symbols[] of 1st symbol of length k
    unsigned char symbols[1<<HUFF_WORD_SIZE]; // symbols in order of increasing code length
    unsigned char look_nbits[1<<HUFF_LOOKUPBITS]; // number bits for codes with no more than HUFF_LOOKUPBITS bits
    unsigned char look_sym[1<<HUFF_LOOKUPBITS]; // symbol for codes with no more than HUFF_LOOKUPBITS bits
    int test_nbits[HUFF_MAXBITS]; // codes left justified to 16 bits larger equal test_nbits[k] have k or more bits
};

int getBits;
int getBuff;
int dataBytes;
const byte * data;

void HuffmanDecode( short *coef, const HuffmanTable &dctbl, const HuffmanTable &actbl, int *lastDC ) {
    int s, k, r, t;

    memset( coef, 0, 64 * sizeof( short ) );

    s = GetCategory( dctbl ); // get DC category number

    if ( s != 0 ) {
        r = GetBits( s ); // get offset in this DC category
        s = ValueFromCategory( s, r ); // get DC difference value
    }

    s += *lastDC;
    *lastDC = s;

    coef[0] = (short) s;

    for ( k = 1; k < 64; k++ ) {
        s = GetCategory( actbl ); // s: (run, category)
        t = s & 15; // t: category for this non-zero AC
        r = s >> 4; // r: run length for zero AC, 0 <= r < 16
    }
}
```

```

    k += r;

    if ( t != 0 ) {
        r = GetBits( t );           // get offset in this AC category
        s = ValueFromCategory( t, r ); // get AC value
        coef[ jpeg_natural_order[ k ] ] = (short) s;
    } else {
        if ( r != 15 ) {
            break;                 // all the remaining AC values are zero
        }
    }
}

void FillBitBuffer( void ) {
    assert( getBits <= 15 );
    dataBytes -= 2;
    int s = ( ~( ( unsigned int ) dataBytes ) ) >> 31;
    getBuff = ( getBuff << 16 ) | ((int) data[0] << 8) | ((int) data[s]);
    getBits += 16;
    data += 2*s; // repeat last byte if at the end
}

inline int GetBits( int bits ) {
    assert( bits <= 16 );
    if( getBits < bits ) {
        FillBitBuffer();
    }
    getBits -= bits;
    return ( getBuff >> getBits ) & ( ( 1 << bits ) - 1 );
}

inline int PeekBits( int bits ) {
    assert( bits <= 16 );
    if( getBits < bits ) {
        FillBitBuffer();
    }
    return ( getBuff >> ( getBits - bits ) ) & ( ( 1 << bits ) - 1 );
}

inline int GetCategory( const HuffmanTable &htbl ) {
    // Peek the first HUFF_LOOKUPBITS bits.
    // FillBitBuffer will repeat the last byte when trying to read beyond the end of the stream.
    // However, the first bits we peek here are still valid and the lookup table will work as intended.
    int look = PeekBits( HUFF_LOOKUPBITS );

    // Lookup the number of bits for this Huffman code.
    int nb = htbl.look_nbits[look];

    // If this is a huffman code of HUFF_LOOKUPBITS or less bits.
    if ( nb != 0 ) {
        getBits -= nb;
        return htbl.look_sym[look];
    } else {
        // Decode long codes with length >= HUFF_LOOKUPBITS.
        return DecodeLong( htbl );
    }
}

int DecodeLong( const HuffmanTable &htbl ) {
    // Peek the maximum number of bits for a code.

```

```

int look = PeekBits( HUFF_MAXBITS );

// Find out how many bits are actually used.
int nb = HUFF_LOOKUPBITS + 1;
for ( int i = HUFF_LOOKUPBITS + 1; i < HUFF_MAXBITS; i++ ) {
    int b = ( look >= htbl.test_nbits[i] );
    nb += b;
}

getBits -= nb;
look >>= HUFF_MAXBITS - nb;

return htbl.symbols[ htbl.symOffset[nb] + look - htbl.minCode[nb] ];
}

inline int ValueFromCategory( int category, int offset ) {
    // return ((offset) < (1<<((category)-1)) ? (offset) + (((-1)<<(category)) + 1) : (offset))
    int m = 1 << category;
    return offset + ( ( ( offset - ( m >> 1 ) ) >> 31 ) & ( 1 - m ) );
}

```

Appendix C

```
/*
Integer Inverse Discrete Cosine Transform
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Original AP922 algorithm is Copyright (C) 1999 - 2000 Intel Corporation.

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Lesser General Public License for more details.
*/

#define BITS_INV_ACC      5          // 4 or 5 for IEEE
#define SHIFT_INV_ROW     ( 16 - BITS_INV_ACC )
#define SHIFT_INV_COL     ( 1 + BITS_INV_ACC )

#define RND_INV_ROW       1024 * (6 - BITS_INV_ACC) // 1 << (SHIFT_INV_ROW-1)
#define RND_INV_COL       16 * (BITS_INV_ACC - 3)   // 1 << (SHIFT_INV_COL-1)

#define SHIFT_ROUND_ROW( x )  ( (x) >> (SHIFT_INV_ROW) )
#define SHIFT_ROUND_COL( x ) ( (x) >> (SHIFT_INV_COL) )

#define BIAS_SCALE( X )      ( X / ( BITS_INV_ACC - 3 ) )

#define f_tg_1_16           tan( 1.0 * M_PI / 16.0 )
#define f_tg_2_16           tan( 2.0 * M_PI / 16.0 )
#define f_tg_3_16           tan( 3.0 * M_PI / 16.0 )

#define f_cos_1_16          cos( 1.0 * M_PI / 16.0 )
#define f_cos_2_16          cos( 2.0 * M_PI / 16.0 )
#define f_cos_3_16          cos( 3.0 * M_PI / 16.0 )
#define f_cos_4_16          cos( 4.0 * M_PI / 16.0 )
#define f_cos_5_16          cos( 5.0 * M_PI / 16.0 )
#define f_cos_6_16          cos( 6.0 * M_PI / 16.0 )
#define f_cos_7_16          cos( 7.0 * M_PI / 16.0 )

#define FIX16( x )          (unsigned short) (x * (1<<16) + 0.5)
#define FIX15_COS_1_16( x ) (short) (x * f_cos_1_16 * (1<<15) + 0.5)
#define FIX15_COS_2_16( x ) (short) (x * f_cos_2_16 * (1<<15) + 0.5)
#define FIX15_COS_3_16( x ) (short) (x * f_cos_3_16 * (1<<15) + 0.5)
#define FIX15_COS_4_16( x ) (short) (x * f_cos_4_16 * (1<<15) + 0.5)

const unsigned short tg_1_16 = FIX16( f_tg_1_16 );
const unsigned short tg_2_16 = FIX16( f_tg_2_16 );
const unsigned short tg_3_16 = FIX16( f_tg_3_16 );
const unsigned short cos_4_16 = FIX16( f_cos_4_16 );

#define INIT_TABLE( FF )
FF( f_cos_4_16 ), FF( f_cos_2_16 ), FF( f_cos_4_16 ), FF( f_cos_6_16 ), \
FF( f_cos_4_16 ), FF( f_cos_6_16 ), -FF( f_cos_4_16 ), -FF( f_cos_2_16 ), \
FF( f_cos_4_16 ), -FF( f_cos_6_16 ), -FF( f_cos_4_16 ), FF( f_cos_2_16 ), \
FF( f_cos_4_16 ), -FF( f_cos_2_16 ), FF( f_cos_4_16 ), -FF( f_cos_6_16 ), \
```

```

FF(f_cos_1_16), FF(f_cos_3_16), FF(f_cos_5_16), FF(f_cos_7_16), \
FF(f_cos_3_16), -FF(f_cos_7_16), -FF(f_cos_1_16), -FF(f_cos_5_16), \
FF(f_cos_5_16), -FF(f_cos_1_16), FF(f_cos_7_16), FF(f_cos_3_16), \
FF(f_cos_7_16), -FF(f_cos_5_16), FF(f_cos_3_16), -FF(f_cos_1_16)

static const short tab_i_04[32] = {
    INIT_TABLE( FIX15_COS_4_16 )
};

static const short tab_i_17[32] = {
    INIT_TABLE( FIX15_COS_1_16 )
};

static const short tab_i_26[32] = {
    INIT_TABLE( FIX15_COS_2_16 )
};

static const short tab_i_35[32] = {
    INIT_TABLE( FIX15_COS_3_16 )
};

static const short *inverseRowTables[] = {
    tab_i_04, tab_i_17, tab_i_26, tab_i_35,
    tab_i_04, tab_i_35, tab_i_26, tab_i_17
};

static const unsigned int rounder[8] = {
    RND_INV_ROW - BIAS_SCALE( 2048 ) + 65536,
    RND_INV_ROW + BIAS_SCALE( 3755 ),
    RND_INV_ROW + BIAS_SCALE( 2472 ),
    RND_INV_ROW + BIAS_SCALE( 1361 ),
    RND_INV_ROW + BIAS_SCALE( 0 ),
    RND_INV_ROW - BIAS_SCALE( 1139 ),
    RND_INV_ROW - BIAS_SCALE( 1024 ),
    RND_INV_ROW - BIAS_SCALE( 1301 )
};

#define PMULHW( X, Y )    ((short)(((int)(X)*(Y))>>16 ))
#define DEQUANTIZE( X, Q )    ((X)*(Q))

void IDCT( const short *coeff, const unsigned short *quant, short *dest ) {

    for( int i = 0; i < 8; i++ ) {
        const short *x = &coeff[ i*8 ];
        short *y = &dest[ i*8 ];
        const short *w = inverseRowTables[i];

        short x0 = DEQUANTIZE( x[0], quant[i*8+0] );
        short x1 = DEQUANTIZE( x[1], quant[i*8+1] );
        short x2 = DEQUANTIZE( x[2], quant[i*8+2] );
        short x3 = DEQUANTIZE( x[3], quant[i*8+3] );

        short x4 = DEQUANTIZE( x[4], quant[i*8+4] );
        short x5 = DEQUANTIZE( x[5], quant[i*8+5] );
        short x6 = DEQUANTIZE( x[6], quant[i*8+6] );
        short x7 = DEQUANTIZE( x[7], quant[i*8+7] );

        int a0 = x0 * w[ 0] + x2 * w[ 1] + x4 * w[ 2] + x6 * w[ 3];
        int a1 = x0 * w[ 4] + x2 * w[ 5] + x4 * w[ 6] + x6 * w[ 7];
        int a2 = x0 * w[ 8] + x2 * w[ 9] + x4 * w[10] + x6 * w[11];
        int a3 = x0 * w[12] + x2 * w[13] + x4 * w[14] + x6 * w[15];
    }
}

```

```

int b0 = x1 * w[16] + x3 * w[17] + x5 * w[18] + x7 * w[19];
int b1 = x1 * w[20] + x3 * w[21] + x5 * w[22] + x7 * w[23];
int b2 = x1 * w[24] + x3 * w[25] + x5 * w[26] + x7 * w[27];
int b3 = x1 * w[28] + x3 * w[29] + x5 * w[30] + x7 * w[31];

a0 += rounder[i];          /* + RND_INV_ROW; */
a1 += rounder[i];          /* + RND_INV_ROW; */
a2 += rounder[i];          /* + RND_INV_ROW; */
a3 += rounder[i];          /* + RND_INV_ROW; */

y[0] = SHIFT_ROUND_ROW( a0 + b0 );
y[1] = SHIFT_ROUND_ROW( a1 + b1 );
y[2] = SHIFT_ROUND_ROW( a2 + b2 );
y[3] = SHIFT_ROUND_ROW( a3 + b3 );

y[4] = SHIFT_ROUND_ROW( a3 - b3 );
y[5] = SHIFT_ROUND_ROW( a2 - b2 );
y[6] = SHIFT_ROUND_ROW( a1 - b1 );
y[7] = SHIFT_ROUND_ROW( a0 - b0 );
}

for( int i = 0; i < 8; i++ ) {
    short *x = &dest[ i ];
    short *y = &dest[ i ];

    short tp765 = x[1*8] + PMULHW( x[7*8], tg_1_16 );
    short tp465 = - x[7*8] + PMULHW( x[1*8], tg_1_16 );
    short tm765 = x[3*8] + PMULHW( x[5*8], tg_3_16 );
    short tm465 = x[5*8] - PMULHW( x[3*8], tg_3_16 );

    short t7 = tp765 + tm765;          /* + 1; // correction +1.0 */
    short tp65 = tp765 - tm765;
    short t4 = tp465 + tm465;
    short tm65 = tp465 - tm465;          /* + 1; // correction +1.0 */

    short t6 = PMULHW( tp65 + tm65, cos_4_16 ); /* | 1; // correction +0.5 */
    short t5 = PMULHW( tp65 - tm65, cos_4_16 ); /* | 1; // correction +0.5 */

    short tp03 = x[0*8] + x[4*8];
    short tp12 = x[0*8] - x[4*8];

    short tm03 = PMULHW( x[6*8], tg_2_16 ) + x[2*8];
    short tm12 = PMULHW( x[2*8], tg_2_16 ) - x[6*8];

    short t0 = tp03 + tm03;          /* + RND_INV_COL; */
    short t3 = tp03 - tm03;          /* + RND_INV_COL - 1; // correction -1.0 */
    short t1 = tp12 + tm12;          /* + RND_INV_COL; */
    short t2 = tp12 - tm12;          /* + RND_INV_COL - 1; // correction -1.0 */

    y[0*8] = SHIFT_ROUND_COL( t0 + t7 );
    y[1*8] = SHIFT_ROUND_COL( t1 + t6 );
    y[2*8] = SHIFT_ROUND_COL( t2 + t5 );
    y[3*8] = SHIFT_ROUND_COL( t3 + t4 );

    y[4*8] = SHIFT_ROUND_COL( t3 - t4 );
    y[5*8] = SHIFT_ROUND_COL( t2 - t5 );
    y[6*8] = SHIFT_ROUND_COL( t1 - t6 );
    y[7*8] = SHIFT_ROUND_COL( t0 - t7 );
}
}

```

Appendix D

```
/*
MMX Optimized Integer Inverse Discrete Cosine Transform
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Lesser General Public License for more details.
*/

#define __ALIGN8          __declspec(align(8))

#define BITS_INV_ACC      5          // 4 or 5 for IEEE
#define SHIFT_INV_ROW     16 - BITS_INV_ACC
#define SHIFT_INV_COL     1 + BITS_INV_ACC

#define RND_INV_ROW       1024 * (6 - BITS_INV_ACC) // 1 << (SHIFT_INV_ROW-1)
#define RND_INV_COL       16 * (BITS_INV_ACC - 3) // 1 << (SHIFT_INV_COL-1)

#define DUP2( X )         (X),(X)
#define DUP4( X )         (X),(X),(X),(X)
#define BIAS_SCALE( X )   ( X / ( BITS_INV_ACC - 3 ) )

__ALIGN8 static short tg_1_16[4] = { DUP4( 13036 ) }; // tg * (1<<16) + 0.5f
__ALIGN8 static short tg_2_16[4] = { DUP4( 27146 ) }; // tg * (1<<16) + 0.5f
__ALIGN8 static short tg_3_16[4] = { DUP4( -21746 ) }; // tg * (1<<16) + 0.5f
__ALIGN8 static short cos_4_16[4] = { DUP4( -19195 ) }; // cos * (1<<16) + 0.5f

// Table for rows 0,4 - constants are multiplied on cos_4_16
__ALIGN8 static short tab_i_04[] = {
16384, 21407, 16384, 8867, // w05 w04 w01 w00
16384, 8867, -16384, -21407, // w07 w06 w03 w02
16384, -8867, 16384, -21407, // w13 w12 w09 w08
-16384, 21407, 16384, -8867, // w15 w14 w11 w10
22725, 19266, 19266, -4520, // w21 w20 w17 w16
12873, 4520, -22725, -12873, // w23 w22 w19 w18
12873, -22725, 4520, -12873, // w29 w28 w25 w24
4520, 19266, 19266, -22725 // w31 w30 w27 w26
};

// Table for rows 1,7 - constants are multiplied on cos_1_16
__ALIGN8 static short tab_i_17[] = {
22725, 29692, 22725, 12299, // w05 w04 w01 w00
22725, 12299, -22725, -29692, // w07 w06 w03 w02
22725, -12299, 22725, -29692, // w13 w12 w09 w08
-22725, 29692, 22725, -12299, // w15 w14 w11 w10
31521, 26722, 26722, -6270, // w21 w20 w17 w16
17855, 6270, -31521, -17855, // w23 w22 w19 w18
17855, -31521, 6270, -17855, // w29 w28 w25 w24
6270, 26722, 26722, -31521 // w31 w30 w27 w26
};
```

```

// Table for rows 2,6 - constants are multiplied on cos_2_16
__ALIGN8 static short tab_i_26[] = {
    21407, 27969, 21407, 11585, // w05 w04 w01 w00
    21407, 11585, -21407, -27969, // w07 w06 w03 w02
    21407, -11585, 21407, -27969, // w13 w12 w09 w08
    -21407, 27969, 21407, -11585, // w15 w14 w11 w10
    29692, 25172, 25172, -5906, // w21 w20 w17 w16
    16819, 5906, -29692, -16819, // w23 w22 w19 w18
    16819, -29692, 5906, -16819, // w29 w28 w25 w24
    5906, 25172, 25172, -29692 // w31 w30 w27 w26
};

// Table for rows 3,5 - constants are multiplied on cos_3_16
__ALIGN8 static short tab_i_35[] = {
    19266, 25172, 19266, 10426, // w05 w04 w01 w00
    19266, 10426, -19266, -25172, // w07 w06 w03 w02
    19266, -10426, 19266, -25172, // w13 w12 w09 w08
    -19266, 25172, 19266, -10426, // w15 w14 w11 w10
    26722, 22654, 22654, -5315, // w21 w20 w17 w16
    15137, 5315, -26722, -15137, // w23 w22 w19 w18
    15137, -26722, 5315, -15137, // w29 w28 w25 w24
    5315, 22654, 22654, -26722 // w31 w30 w27 w26
};

__ALIGN8 static const unsigned int rounder_0[2] = { DUP2( RND_INV_ROW - BIAS_SCALE( 2048 ) + 65536 ) };
__ALIGN8 static const unsigned int rounder_1[2] = { DUP2( RND_INV_ROW + BIAS_SCALE( 3755 ) ) };
__ALIGN8 static const unsigned int rounder_2[2] = { DUP2( RND_INV_ROW + BIAS_SCALE( 2472 ) ) };
__ALIGN8 static const unsigned int rounder_3[2] = { DUP2( RND_INV_ROW + BIAS_SCALE( 1361 ) ) };
__ALIGN8 static const unsigned int rounder_4[2] = { DUP2( RND_INV_ROW + BIAS_SCALE( 0 ) ) };
__ALIGN8 static const unsigned int rounder_5[2] = { DUP2( RND_INV_ROW - BIAS_SCALE( 1139 ) ) };
__ALIGN8 static const unsigned int rounder_6[2] = { DUP2( RND_INV_ROW - BIAS_SCALE( 1024 ) ) };
__ALIGN8 static const unsigned int rounder_7[2] = { DUP2( RND_INV_ROW - BIAS_SCALE( 1301 ) ) };

#define DCT_8_INV_ROW( table, rounder ) \
__asm movq mm2, mm0 /* 2: x3 x2 x1 x0*/\
__asm movq mm3, qword ptr [table+ 0] /* 3: w05 w04 w01 w00*/\
__asm pshufw mm0, mm0, 10001000b /* x2 x0 x2 x0*/\
__asm movq mm4, qword ptr [table+ 8] /* 4: w07 w06 w03 w02*/\
__asm movq mm5, mm1 /* 5: x7 x6 x5 x4*/\
__asm pmaddwd mm3, mm0 /* x2*w05+x0*w04 x2*w01+x0*w00*/\
__asm movq mm6, qword ptr [table+32] /* 6: w21 w20 w17 w16*/\
__asm pshufw mm1, mm1, 10001000b /* x6 x4 x6 x4*/\
__asm pmaddwd mm4, mm1 /* x6*w07+x4*w06 x6*w03+x4*w02*/\
__asm movq mm7, qword ptr [table+40] /* 7: w23 w22 w19 w18*/\
__asm pshufw mm2, mm2, 11011101b /* x3 x1 x3 x1*/\
__asm pmaddwd mm6, mm2 /* x3*w21+x1*w20 x3*w17+x1*w16*/\
__asm pshufw mm5, mm5, 11011101b /* x7 x5 x7 x5*/\
__asm pmaddwd mm7, mm5 /* x7*w23+x5*w22 x7*w19+x5*w18*/\
__asm padd mm3, qword ptr rounder /* +rounder */\
__asm pmaddwd mm0, qword ptr [table+16] /* x2*w13+x0*w12 x2*w09+x0*w08*/\
__asm padd mm3, mm4 /* 4: a1=sum(even1) a0=sum(even0)*/\
__asm pmaddwd mm1, qword ptr [table+24] /* x6*w15+x4*w14 x6*w11+x4*w10*/\
__asm movq mm4, mm3 /* 4: a1 a0 */\
__asm pmaddwd mm2, qword ptr [table+48] /* x3*w29+x1*w28 x3*w25+x1*w24*/\
__asm padd mm6, mm7 /* 7: b1=sum(odd1) b0=sum(odd0)*/\
__asm pmaddwd mm5, qword ptr [table+56] /* x7*w31+x5*w30 x7*w27+x5*w26*/\
__asm padd mm3, mm6 /* a1+b1 a0+b0*/\
__asm padd mm0, qword ptr rounder /* +rounder*/\
__asm psrad mm3, SHIFT_INV_ROW /* y1=a1+b1 y0=a0+b0*/\
__asm padd mm0, mm1 /* 1: a3=sum(even3) a2=sum(even2)*/\
__asm psubb mm4, mm6 /* 6: a1-b1 a0-b0 */\

```

```

__asm movq    mm7, mm0          /* 7: a3 a2 */\
__asm paddb  mm2, mm5          /* 5: b3=sum(odd3) b2=sum(odd2)*/\
__asm paddb  mm0, mm2          /* a3+b3 a2+b2*/\
__asm psrad  mm4, SHIFT_INV_ROW /* y6=a1-b1 y7=a0-b0*/\
__asm psubb  mm7, mm2          /* 2: a3-b3 a2-b2*/\
__asm psrad  mm0, SHIFT_INV_ROW /* y3=a3+b3 y2=a2+b2*/\
__asm psrad  mm7, SHIFT_INV_ROW /* y4=a3-b3 y5=a2-b2*/\
__asm packssdw mm3, mm0        /* 0: y3 y2 y1 y0*/\
__asm packssdw mm7, mm4        /* 4: y6 y7 y4 y5*/\
__asm pshufw  mm7, mm7, 10110001b /* y7 y6 y5 y4 */

```

```
#define DCT_8_INV_COL_4 \
```

```

__asm movq    mm1, qword ptr tg_3_16 /* 1: tg_3_16 */\
__asm movq    mm2, mm0              /* 2: x5 */\
__asm movq    mm3, qword ptr [edx+3*16] /* 3: x3 */\
__asm pmulhw  mm0, mm1              /* x5*tg_3_16 */\
__asm movq    mm4, qword ptr [edx+7*16] /* 4: x7 */\
__asm pmulhw  mm1, mm3              /* x3*tg_3_16 */\
__asm movq    mm5, qword ptr tg_1_16 /* 5: tg_1_16 */\
__asm movq    mm6, mm4              /* 6: x7 */\
__asm pmulhw  mm4, mm5              /* x7*tg_1_16 */\
__asm paddsw  mm0, mm2              /* x5*tg_3_16 */\
__asm pmulhw  mm5, [edx+1*16]       /* x1*tg_1_16 */\
__asm paddsw  mm1, mm3              /* x3*tg_3_16 */\
__asm movq    mm7, qword ptr [edx+6*16] /* 7: x6 */\
__asm paddsw  mm0, mm3              /* 3: tm765 = x5*tg_3_16+x3 */\
__asm movq    mm3, qword ptr tg_2_16 /* 3: tg_2_16 */\
__asm psubsw  mm2, mm1              /* 1: tm465 = x5-x3*tg_3_16 */\
__asm pmulhw  mm7, mm3              /* x6*tg_2_16 */\
__asm movq    mm1, mm0              /* 1: tm765 */\
__asm pmulhw  mm3, [edx+2*16]       /* x2*tg_2_16 */\
__asm psubsw  mm5, mm6              /* 6: tp465 = x1*tg_1_16-x7 */\
__asm paddsw  mm4, [edx+1*16]       /* tp765 = x1+x7*tg_1_16 */\
__asm paddsw  mm0, mm4              /* t7 = tp765 + tm765 */\
__asm psubsw  mm4, mm1              /* 1: tp65 = tp765 - tm765 */\
__asm paddsw  mm7, [edx+2*16]       /* tm03 = x2+x6*tg_2_16 */\
__asm movq    mm6, mm5              /* 6: tp465 */\
__asm psubsw  mm3, [edx+6*16]       /* tm12 = x2*tg_2_16-x6 */\
__asm psubsw  mm5, mm2              /* tm65 = tp465 - tm465 */\
__asm paddsw  mm6, mm2              /* 2: t4 = tp465 + tm465 */\
__asm movq    [edx+7*16], mm0        /* 0: save t7 in y7 (tmp) */\
__asm movq    mm1, mm4              /* 1: tp65 */\
__asm movq    mm2, qword ptr cos_4_16 /* 2: cos_4_16 */\
__asm paddsw  mm4, mm5              /* tp65 + tm65 */\
__asm movq    mm0, qword ptr cos_4_16 /* 0: cos_4_16 */\
__asm pmulhw  mm2, mm4              /* (tp65 + tm65)*cos_4_16 */\
__asm movq    [edx+3*16], mm6        /* 6: save t4 in y3 (tmp) */\
__asm psubsw  mm1, mm5              /* 5: tp65 - tm65 */\
__asm movq    mm6, [edx]             /* 6: x0 */\
__asm pmulhw  mm0, mm1              /* (tp65 - tm65)*cos_4_16 */\
__asm movq    mm5, [edx+4*16]       /* 5: x4 */\
__asm paddsw  mm4, mm2              /* 2: t6 = (tp65 + tm65)*cos_4_16 */\
__asm paddsw  mm5, mm6              /* tp03 = x0 + x4 */\
__asm psubsw  mm6, [edx+4*16]       /* tp12 = x0 - x4 */\
__asm paddsw  mm0, mm1              /* 1: t5 = (tp65 - tm65)*cos_4_16 */\
__asm movq    mm2, mm5              /* 2: tp03 */\
__asm paddsw  mm5, mm7              /* t0 = tp03 + tm03 */\
__asm movq    mm1, mm6              /* 1: tp12 */\
__asm psubsw  mm2, mm7              /* 7: t3 = tp03 - tm03 */\
__asm movq    mm7, [edx+7*16]       /* t7 */\
__asm paddsw  mm6, mm3              /* t1 = tp12 + tm12 */\
__asm paddsw  mm7, mm5              /* t0 + t7 */\

```

```

__asm psraw    mm7, SHIFT_INV_COL    /* y0 = t0 + t7 */\
__asm psubsw  mm1, mm3              /* 3: t2 = tp12 - tm12 */\
__asm movq    mm3, mm6              /* 3: t1 */\
__asm paddsw  mm6, mm4              /* t1 + t6 */\
__asm movq    [edx], mm7            /* 7: save y0 */\
__asm psraw   mm6, SHIFT_INV_COL    /* y1 = t1 + t6 */\
__asm movq    mm7, mm1              /* 7: t2 */\
__asm paddsw  mm1, mm0              /* t2 + t5 */\
__asm movq    [edx+1*16], mm6       /* 6: save y1 */\
__asm psraw   mm1, SHIFT_INV_COL    /* y2 = t2 + t5 */\
__asm movq    mm6, [edx+3*16]       /* 6: t4 */\
__asm psubsw  mm7, mm0              /* 0: t2 - t5 */\
__asm paddsw  mm6, mm2              /* t3 + t4 */\
__asm psubsw  mm2, [edx+3*16]       /* t3 - t4 */\
__asm psraw   mm7, SHIFT_INV_COL    /* y5 = t2 - t5 */\
__asm movq    [edx+2*16], mm1       /* 1: save y2 */\
__asm psraw   mm6, SHIFT_INV_COL    /* y3 = t3 + t4 */\
__asm psubsw  mm5, [edx+7*16]       /* t0 - t7 */\
__asm psraw   mm2, SHIFT_INV_COL    /* y4 = t3 - t4 */\
__asm movq    [edx+3*16], mm6       /* 6: save y3 */\
__asm psubsw  mm3, mm4              /* 4: t1 - t6 */\
__asm movq    [edx+4*16], mm2       /* 2: save y4 */\
__asm psraw   mm3, SHIFT_INV_COL    /* y6 = t1 - t6 */\
__asm movq    [edx+5*16], mm7       /* 7: save y5 */\
__asm psraw   mm5, SHIFT_INV_COL    /* y7 = t0 - t7 */\
__asm movq    [edx+6*16], mm3       /* 3: save y6 */\
__asm movq    [edx+7*16], mm5       /* 5: save y7 */

```

```

#define DEQUANTIZE( reg, mem )    __asm pmullw reg, mem

```

```

void IDCT_MMX( const short *coeff, const unsigned short *quant, short *dest ) {

```

```

__asm mov     ecx, coeff
__asm mov     edx, dest
__asm mov     esi, quant

__asm movq    mm0, [ecx]
__asm movq    mm1, [ecx+8]
DEQUANTIZE(  mm0, [esi+ 0] )
DEQUANTIZE(  mm1, [esi+ 8] )
DCT_8_INV_ROW( tab_i_04, rounder_0 );    /* row 0 */
__asm movq    mm0, [ecx+16]
__asm movq    qword ptr [edx], mm3      /* 3: save y3 y2 y1 y0 */
__asm movq    mm1, [ecx+24]
__asm movq    qword ptr [edx+8], mm7    /* 7: save y7 y6 y5 y4 */
DEQUANTIZE(  mm0, [esi+16] )
DEQUANTIZE(  mm1, [esi+24] )
DCT_8_INV_ROW( tab_i_17, rounder_1 );    /* row 1 */
__asm movq    mm0, [ecx+32]
__asm movq    qword ptr [edx+16], mm3   /* 3: save y3 y2 y1 y0 */
__asm movq    mm1, [ecx+40]
__asm movq    qword ptr [edx+24], mm7   /* 7: save y7 y6 y5 y4 */
DEQUANTIZE(  mm0, [esi+32] )
DEQUANTIZE(  mm1, [esi+40] )
DCT_8_INV_ROW( tab_i_26, rounder_2 );    /* row 2 */
__asm movq    mm0, [ecx+48]
__asm movq    qword ptr [edx+32], mm3   /* 3: save y3 y2 y1 y0 */
__asm movq    mm1, [ecx+56]
__asm movq    qword ptr [edx+40], mm7   /* 7: save y7 y6 y5 y4 */
DEQUANTIZE(  mm0, [esi+48] )
DEQUANTIZE(  mm1, [esi+56] )
DCT_8_INV_ROW( tab_i_35, rounder_3 );    /* row 3 */
__asm movq    mm0, [ecx+64]

```

```

__asm movq   qword ptr [edx+48], mm3   /* 3: save y3 y2 y1 y0 */
__asm movq   mm1, [ecx+72]
__asm movq   qword ptr [edx+56], mm7   /* 7: save y7 y6 y5 y4 */
DEQUANTIZE( mm0, [esi+64] )
DEQUANTIZE( mm1, [esi+72] )
DCT_8_INV_ROW( tab_i_04, rounder_4 ); /* row 4 */
__asm movq   mm0, [ecx+80]
__asm movq   qword ptr [edx+64], mm3   /* 3: save y3 y2 y1 y0 */
__asm movq   mm1, [ecx+88]
__asm movq   qword ptr [edx+72], mm7   /* 7: save y7 y6 y5 y4 */
DEQUANTIZE( mm0, [esi+80] )
DEQUANTIZE( mm1, [esi+88] )
DCT_8_INV_ROW( tab_i_35, rounder_5 ); /* row 5 */
__asm movq   mm0, [ecx+96]
__asm movq   qword ptr [edx+80], mm3   /* 3: save y3 y2 y1 y0 */
__asm movq   mm1, [ecx+104]
__asm movq   qword ptr [edx+88], mm7   /* 7: save y7 y6 y5 y4 */
DEQUANTIZE( mm0, [esi+96] )
DEQUANTIZE( mm1, [esi+104] )
DCT_8_INV_ROW( tab_i_26, rounder_6 ); /* row 6 */
__asm movq   mm0, [ecx+112]
__asm movq   qword ptr [edx+96], mm3   /* 3: save y3 y2 y1 y0 */
__asm movq   mm1, [ecx+120]
__asm movq   qword ptr [edx+104],mm7   /* 7: save y7 y6 y5 y4 */
DEQUANTIZE( mm0, [esi+112] )
DEQUANTIZE( mm1, [esi+120] )
DCT_8_INV_ROW( tab_i_17, rounder_7 ); /* row 7 */
__asm movq   qword ptr [edx+112],mm3   /* 3: save y3 y2 y1 y0 */
__asm movq   mm0, qword ptr [edx+80]   /* 0: x5 */
__asm movq   qword ptr [edx+120],mm7   /* 7: save y7 y6 y5 y4 */

DCT_8_INV_COL_4
__asm movq   mm0, qword ptr [edx+88]   /* 0: x5 */
__asm add    edx, 8
DCT_8_INV_COL_4
__asm emms
}

```

Appendix E

```
/*
SSE2 Optimized Integer Inverse Discrete Cosine Transform
Copyright (C) 2006 Id Software, Inc.
Original AP922 algorithm is Copyright (C) 1999 - 2000 Intel Corporation.

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Lesser General Public License for more details.
*/

#define __ALIGN16          __declspec(align(16))

#define BITS_INV_ACC      5           // 4 or 5 for IEEE
#define SHIFT_INV_ROW     16 - BITS_INV_ACC
#define SHIFT_INV_COL     1 + BITS_INV_ACC

#define RND_INV_ROW       1024 * (6 - BITS_INV_ACC) // 1 << (SHIFT_INV_ROW-1)
#define RND_INV_COL       16 * (BITS_INV_ACC - 3) // 1 << (SHIFT_INV_COL-1)

#define DUP4( X )         (X),(X),(X),(X)
#define DUP8( X )         (X),(X),(X),(X),(X),(X),(X),(X)
#define BIAS_SCALE( X )   ( X / ( BITS_INV_ACC - 3 ) )

__ALIGN16 static short M128_tg_1_16[8] = { DUP8( 13036 ) }; // tg * (1<<16) + 0.5
__ALIGN16 static short M128_tg_2_16[8] = { DUP8( 27146 ) }; // tg * (1<<16) + 0.5
__ALIGN16 static short M128_tg_3_16[8] = { DUP8( -21746 ) }; // tg * (1<<16) + 0.5
__ALIGN16 static short M128_cos_4_16[8] = { DUP8( -19195 ) }; // cos * (1<<16) + 0.5

//-----

// Table for rows 0,4 - constants are multiplied on cos_4_16
__ALIGN16 static short M128_tab_i_04[] = {
16384, 21407, 16384, 8867, // w05 w04 w01 w00
16384, -8867, 16384, -21407, // w13 w12 w09 w08
16384, 8867, -16384, -21407, // w07 w06 w03 w02
-16384, 21407, 16384, -8867, // w15 w14 w11 w10
22725, 19266, 19266, -4520, // w21 w20 w17 w16
12873, -22725, 4520, -12873, // w29 w28 w25 w24
12873, 4520, -22725, -12873, // w23 w22 w19 w18
4520, 19266, 19266, -22725 // w31 w30 w27 w26
};

// Table for rows 1,7 - constants are multiplied on cos_1_16
__ALIGN16 static short M128_tab_i_17[] = {
22725, 29692, 22725, 12299, // w05 w04 w01 w00
22725, -12299, 22725, -29692, // w13 w12 w09 w08
22725, 12299, -22725, -29692, // w07 w06 w03 w02
-22725, 29692, 22725, -12299, // w15 w14 w11 w10
31521, 26722, 26722, -6270, // w21 w20 w17 w16
17855, -31521, 6270, -17855, // w29 w28 w25 w24
};
```

```

17855, 6270, -31521, -17855, // w23 w22 w19 w18
6270, 26722, 26722, -31521 // w31 w30 w27 w26
};

```

```

// Table for rows 2,6 - constants are multiplied on cos_2_16
__ALIGN16 static short M128_tab_i_26[] = {
21407, 27969, 21407, 11585, // w05 w04 w01 w00
21407, -11585, 21407, -27969, // w13 w12 w09 w08
21407, 11585, -21407, -27969, // w07 w06 w03 w02
-21407, 27969, 21407, -11585, // w15 w14 w11 w10
29692, 25172, 25172, -5906, // w21 w20 w17 w16
16819, -29692, 5906, -16819, // w29 w28 w25 w24
16819, 5906, -29692, -16819, // w23 w22 w19 w18
5906, 25172, 25172, -29692 // w31 w30 w27 w26
};

```

```

// Table for rows 3,5 - constants are multiplied on cos_3_16
__ALIGN16 static short M128_tab_i_35[] = {
19266, 25172, 19266, 10426, // w05 w04 w01 w00
19266, -10426, 19266, -25172, // w13 w12 w09 w08
19266, 10426, -19266, -25172, // w07 w06 w03 w02
-19266, 25172, 19266, -10426, // w15 w14 w11 w10
26722, 22654, 22654, -5315, // w21 w20 w17 w16
15137, -26722, 5315, -15137, // w29 w28 w25 w24
15137, 5315, -26722, -15137, // w23 w22 w19 w18
5315, 22654, 22654, -26722 // w31 w30 w27 w26
};

```

```

__ALIGN16 static const unsigned int rounder_0[4] = { DUP4( RND_INV_ROW - BIAS_SCALE( 2048 ) + 65536 ) };
__ALIGN16 static const unsigned int rounder_1[4] = { DUP4( RND_INV_ROW + BIAS_SCALE( 3755 ) ) };
__ALIGN16 static const unsigned int rounder_2[4] = { DUP4( RND_INV_ROW + BIAS_SCALE( 2472 ) ) };
__ALIGN16 static const unsigned int rounder_3[4] = { DUP4( RND_INV_ROW + BIAS_SCALE( 1361 ) ) };
__ALIGN16 static const unsigned int rounder_4[4] = { DUP4( RND_INV_ROW + BIAS_SCALE( 0 ) ) };
__ALIGN16 static const unsigned int rounder_5[4] = { DUP4( RND_INV_ROW - BIAS_SCALE( 1139 ) ) };
__ALIGN16 static const unsigned int rounder_6[4] = { DUP4( RND_INV_ROW - BIAS_SCALE( 1024 ) ) };
__ALIGN16 static const unsigned int rounder_7[4] = { DUP4( RND_INV_ROW - BIAS_SCALE( 1301 ) ) };

```

```

#define DCT_8_INV_ROW( table1, table2, rounder1, rounder2 ) \
__asm pshufw xmm0, xmm0, 0xD8 \
__asm pshufw xmm0, xmm0, 0xD8 \
__asm pshufd xmm3, xmm0, 0x55 \
__asm pshufd xmm1, xmm0, 0 \
__asm pshufd xmm2, xmm0, 0xAA \
__asm pshufd xmm0, xmm0, 0xFF \
__asm pmaddwd xmm1, [table1+ 0] \
__asm pmaddwd xmm2, [table1+16] \
__asm pmaddwd xmm3, [table1+32] \
__asm pmaddwd xmm0, [table1+48] \
__asm paddd xmm0, xmm3 \
__asm pshufw xmm4, xmm4, 0xD8 \
__asm pshufw xmm4, xmm4, 0xD8 \
__asm paddd xmm1, rounder1 \
__asm pshufd xmm6, xmm4, 0xAA \
__asm pshufd xmm5, xmm4, 0 \
__asm pmaddwd xmm5, [table2+ 0] \
__asm paddd xmm5, rounder2 \
__asm pmaddwd xmm6, [table2+16] \
__asm pshufd xmm7, xmm4, 0x55 \
__asm pmaddwd xmm7, [table2+32] \
__asm pshufd xmm4, xmm4, 0xFF \
__asm pmaddwd xmm4, [table2+48] \
__asm paddd xmm1, xmm2 \

```

```

__asm movdqa   xmm2, xmm1           \
__asm psubd   xmm2, xmm0           \
__asm psrad   xmm2, SHIFT_INV_ROW \
__asm pshufd  xmm2, xmm2, 0x1B    \
__asm paddd   xmm0, xmm1           \
__asm psrad   xmm0, SHIFT_INV_ROW \
__asm paddd   xmm5, xmm6           \
__asm packssdw xmm0, xmm2         \
__asm paddd   xmm4, xmm7           \
__asm movdqa  xmm6, xmm5           \
__asm psubd   xmm6, xmm4           \
__asm psrad   xmm6, SHIFT_INV_ROW \
__asm paddd   xmm4, xmm5           \
__asm psrad   xmm4, SHIFT_INV_ROW \
__asm pshufd  xmm6, xmm6, 0x1B    \
__asm packssdw xmm4, xmm6         \

#define DCT_8_INV_COL_8           \
__asm movdqa  xmm6, xmm4           \
__asm movdqa  xmm2, xmm0           \
__asm movdqa  xmm3, XMMWORD PTR [edx+3*16] \
__asm movdqa  xmm1, XMMWORD PTR M128_tg_3_16 \
__asm pmulhw  xmm0, xmm1           \
__asm movdqa  xmm5, XMMWORD PTR M128_tg_1_16 \
__asm pmulhw  xmm1, xmm3           \
__asm paddsw  xmm1, xmm3           \
__asm pmulhw  xmm4, xmm5           \
__asm movdqa  xmm7, XMMWORD PTR [edx+6*16] \
__asm pmulhw  xmm5, [edx+1*16]     \
__asm psubsw  xmm5, xmm6           \
__asm movdqa  xmm6, xmm5           \
__asm paddsw  xmm4, [edx+1*16]     \
__asm paddsw  xmm0, xmm2           \
__asm paddsw  xmm0, xmm3           \
__asm psubsw  xmm2, xmm1           \
__asm movdqa  xmm1, xmm0           \
__asm movdqa  xmm3, XMMWORD PTR M128_tg_2_16 \
__asm pmulhw  xmm7, xmm3           \
__asm pmulhw  xmm3, [edx+2*16]     \
__asm paddsw  xmm0, xmm4           \
__asm psubsw  xmm4, xmm1           \
__asm movdqa  [edx+7*16], xmm0     \
__asm psubsw  xmm5, xmm2           \
__asm paddsw  xmm6, xmm2           \
__asm movdqa  [edx+3*16], xmm6     \
__asm movdqa  xmm1, xmm4           \
__asm movdqa  xmm0, XMMWORD PTR M128_cos_4_16 \
__asm movdqa  xmm2, xmm0           \
__asm paddsw  xmm4, xmm5           \
__asm psubsw  xmm1, xmm5           \
__asm paddsw  xmm7, [edx+2*16]     \
__asm psubsw  xmm3, [edx+6*16]     \
__asm movdqa  xmm6, [edx]          \
__asm pmulhw  xmm0, xmm1           \
__asm movdqa  xmm5, [edx+4*16]     \
__asm paddsw  xmm5, xmm6           \
__asm psubsw  xmm6, [edx+4*16]     \
__asm pmulhw  xmm2, xmm4           \
__asm paddsw  xmm4, xmm2           \
__asm movdqa  xmm2, xmm5           \
__asm psubsw  xmm2, xmm7           \
__asm paddsw  xmm0, xmm1           \

```

```

__asm paddsw    xmm5, xmm7           \
__asm movdqa   xmm1, xmm6           \
__asm movdqa   xmm7, [edx+7*16]     \
__asm paddsw   xmm7, xmm5           \
__asm psraw    xmm7, SHIFT_INV_COL  \
__asm movdqa   [edx], xmm7          \
__asm paddsw   xmm6, xmm3           \
__asm psubsw   xmm1, xmm3           \
__asm movdqa   xmm7, xmm1           \
__asm movdqa   xmm3, xmm6           \
__asm paddsw   xmm6, xmm4           \
__asm psraw    xmm6, SHIFT_INV_COL  \
__asm movdqa   [edx+1*16], xmm6     \
__asm paddsw   xmm1, xmm0           \
__asm psraw    xmm1, SHIFT_INV_COL  \
__asm movdqa   [edx+2*16], xmm1     \
__asm movdqa   xmm1, [edx+3*16]     \
__asm movdqa   xmm6, xmm1           \
__asm psubsw   xmm7, xmm0           \
__asm psraw    xmm7, SHIFT_INV_COL  \
__asm movdqa   [edx+5*16], xmm7     \
__asm psubsw   xmm5, [edx+7*16]     \
__asm psraw    xmm5, SHIFT_INV_COL  \
__asm movdqa   [edx+7*16], xmm5     \
__asm psubsw   xmm3, xmm4           \
__asm paddsw   xmm6, xmm2           \
__asm psubsw   xmm2, xmm1           \
__asm psraw    xmm6, SHIFT_INV_COL  \
__asm movdqa   [edx+3*16], xmm6     \
__asm psraw    xmm2, SHIFT_INV_COL  \
__asm movdqa   [edx+4*16], xmm2     \
__asm psraw    xmm3, SHIFT_INV_COL  \
__asm movdqa   [edx+6*16], xmm3

```

```
#define DEQUANTIZE( reg, mem )    __asm pmullw reg, mem
```

```
void IDCT_SSE2( const short *coeff, const unsigned short *quant, short *dest ) {
    assert_16_byte_aligned( coeff );
    assert_16_byte_aligned( quant );
    assert_16_byte_aligned( dest );
```

```

__asm mov      eax, coeff
__asm mov      edx, dest
__asm mov      esi, quant

```

```

__asm movdqa   xmm0, XMMWORD PTR[eax+16*0] // row 0
__asm movdqa   xmm4, XMMWORD PTR[eax+16*2] // row 2

```

```

DEQUANTIZE(    xmm0, XMMWORD PTR[esi+16*0] )
DEQUANTIZE(    xmm4, XMMWORD PTR[esi+16*2] )

```

```
DCT_8_INV_ROW( M128_tab_i_04, M128_tab_i_26, rounder_0, rounder_2 );
```

```

__asm movdqa   XMMWORD PTR[edx+16*0], xmm0
__asm movdqa   XMMWORD PTR[edx+16*2], xmm4

```

```

__asm movdqa   xmm0, XMMWORD PTR[eax+16*4] // row 4
__asm movdqa   xmm4, XMMWORD PTR[eax+16*6] // row 6

```

```

DEQUANTIZE(    xmm0, XMMWORD PTR[esi+16*4] )
DEQUANTIZE(    xmm4, XMMWORD PTR[esi+16*6] )

```

```
DCT_8_INV_ROW( M128_tab_i_04, M128_tab_i_26, rounder_4, rounder_6 );
```

```

__asm movdqa   XMMWORD PTR[edx+16*4], xmm0
__asm movdqa   XMMWORD PTR[edx+16*6], xmm4

```

```

__asm movdqa   xmm0, XMMWORD PTR[eax+16*3] // row 3

```

```

__asm movdqa    xmm4, XMMWORD PTR[eax+16*1]    // row 1
DEQUANTIZE(    xmm0, XMMWORD PTR[esi+16*3] )
DEQUANTIZE(    xmm4, XMMWORD PTR[esi+16*1] )
DCT_8_INV_ROW( M128_tab_i_35, M128_tab_i_17, rounder_3, rounder_1 );
__asm movdqa    XMMWORD PTR[edx+16*3], xmm0
__asm movdqa    XMMWORD PTR[edx+16*1], xmm4

__asm movdqa    xmm0, XMMWORD PTR[eax+16*5]    // row 5
__asm movdqa    xmm4, XMMWORD PTR[eax+16*7]    // row 7
DEQUANTIZE(    xmm0, XMMWORD PTR[esi+16*5] )
DEQUANTIZE(    xmm4, XMMWORD PTR[esi+16*7] )
DCT_8_INV_ROW( M128_tab_i_35, M128_tab_i_17, rounder_5, rounder_7 );

DCT_8_INV_COL_8
}

```

Appendix F

```
/*
4:2:0 YCoCg -> RGB Conversion
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Lesser General Public License for more details.
*/

#define NUM_CHANNELS      4

inline ClampByte( int x )      { return ( x < 0 ) ? 0 : ( ( x > 255 ) ? 255 : x ); }

void YCoCgAToRGBA( const short *YCoCgA, byte *rgba, int stride ) {
    int i, j, k;

    // writes out one 8*8 block of the 16*16 tile per iteration
    for( k = 0; k < 4; k++ ) {

        byte *pByte    = rgba + ( ( k & 2 ) * stride + ( k & 1 ) * ( NUM_CHANNELS*2 ) ) * 4;
        const short *py = YCoCgA + k * 64;
        const short *pc = YCoCgA + 256 + ( ( k & 2 ) * 4 + ( k & 1 ) ) * 4;

        // writes out 2 rows of an 8*8 block per iteration
        for( j = 0; j < 4; j++ ) {
            for( i = 0; i < 4; i++ ) {
                int y, co, cg, r, s, t, a;

                co = pc[i+ 0];
                cg = pc[i+64];

                r = co - cg;
                s = cg;
                t = co + cg;

                y = py[i*2+0+0+ 0] + 128;
                a = py[i*2+0+0+384] + 128;

                pByte[i*2*NUM_CHANNELS+0*NUM_CHANNELS+0] = ClampByte( y+r ); // Red
                pByte[i*2*NUM_CHANNELS+0*NUM_CHANNELS+1] = ClampByte( y+s ); // Green
                pByte[i*2*NUM_CHANNELS+0*NUM_CHANNELS+2] = ClampByte( y-t ); // Blue
                pByte[i*2*NUM_CHANNELS+0*NUM_CHANNELS+3] = ClampByte( a ); // Alpha

                y = py[i*2+0+1+ 0] + 128;
                a = py[i*2+0+1+384] + 128;

                pByte[i*2*NUM_CHANNELS+1*NUM_CHANNELS+0] = ClampByte( y+r ); // Red
                pByte[i*2*NUM_CHANNELS+1*NUM_CHANNELS+1] = ClampByte( y+s ); // Green
                pByte[i*2*NUM_CHANNELS+1*NUM_CHANNELS+2] = ClampByte( y-t ); // Blue
                pByte[i*2*NUM_CHANNELS+1*NUM_CHANNELS+3] = ClampByte( a ); // Alpha
            }
        }
    }
}
```

```

pByte += stride;

y = py[i*2+8+0+ 0] + 128;
a = py[i*2+8+0+384] + 128;

pByte[i*2*NUM_CHANNELS+0*NUM_CHANNELS+0] = ClampByte( y+r ); // Red
pByte[i*2*NUM_CHANNELS+0*NUM_CHANNELS+1] = ClampByte( y+s ); // Green
pByte[i*2*NUM_CHANNELS+0*NUM_CHANNELS+2] = ClampByte( y-t ); // Blue
pByte[i*2*NUM_CHANNELS+0*NUM_CHANNELS+3] = ClampByte( a ); // Alpha

y = py[i*2+8+1+ 0] + 128;
a = py[i*2+8+1+384] + 128;

pByte[i*2*NUM_CHANNELS+1*NUM_CHANNELS+0] = ClampByte( y+r ); // Red
pByte[i*2*NUM_CHANNELS+1*NUM_CHANNELS+1] = ClampByte( y+s ); // Green
pByte[i*2*NUM_CHANNELS+1*NUM_CHANNELS+2] = ClampByte( y-t ); // Blue
pByte[i*2*NUM_CHANNELS+1*NUM_CHANNELS+3] = ClampByte( a ); // Alpha

pByte -= stride;
}

py += 16;
pc += 8;
pByte += 2 * stride;
}
}
}
}

```

Appendix G

```
/*
MMX Optimized 4:2:0 YCoCg -> RGB Conversion
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MERCHANTABILITY or FITNESS FOR A PARTICULAR PURPOSE. See the GNU
Lesser General Public License for more details.
*/

void YCoCgAToRGBA_MMX( const short *YCoCgA, byte *rgba, int stride ) {
    assert( NUM_CHANNELS == 4 );           // this code assumes four channels per pixel
    assert_16_byte_aligned( rgba );
    assert_16_byte_aligned( YCoCgA );
    assert( ( stride & 15 ) == 0 );

    ALIGN16( short tmm2[4] );
    ALIGN16( short tmm3[4] );
    ALIGN16( short tmm4[4] );
    ALIGN16( short tmm5[4] );
    ALIGN16( short tmm6[4] );
    ALIGN16( short tmm7[4] );

    __asm {
        xor     ecx, ecx           // ecx = k
        mov     esi, YCoCgA

        // iterates 4 times, writes out one 8*8 block of the 16*16 tile per iteration
    loop1:
        mov     eax, ecx
        and     eax, 2             // ( k & 2 )
        mov     edx, ecx
        and     edx, 1             // ( k & 1 )

        lea    edi, [edx+eax*4]
        shl    edi, 3
        add    edi, dword ptr [YCoCgA]
        add    edi, 256*2         // YCoCgA + ( 256 + ( (k&2) * 4 + (k&1) ) * 4 ) * sizeof( YCoCgA[0] )

        imul   eax, stride
        lea    edx, [eax+edx*(NUM_CHANNELS*2)]
        shl    edx, 2
        add    edx, dword ptr [rgba] // rgba + ( (k&2) * stride + (k&1) * (NUM_CHANNELS*2) ) * 4

        mov    eax, -4*16*2
        add    esi, 4*16*2

        // iterates 4 times, writes out 2 rows of an 8*8 block per iteration
    loop2:
        movq   mm4, [edi+ 0*2]     // mm4 = co
        movq   mm2, [edi+64*2]    // mm2 = g = cg
    }
}
```

```

movq    mm3, mm4           // mm3 = co
psubsw  mm3, mm2           // mm3 = r = co - cg
paddsw  mm4, mm2           // mm4 = b = co + cg

pshufw  mm7, mm3, R_SHUFFLE_D( 2, 2, 3, 3 ) // mm7 = r
pshufw  mm6, mm2, R_SHUFFLE_D( 2, 2, 3, 3 ) // mm6 = g
pshufw  mm5, mm4, R_SHUFFLE_D( 2, 2, 3, 3 ) // mm5 = b

movq    tmm7, mm7
movq    tmm6, mm6
movq    tmm5, mm5

pshufw  mm3, mm3, R_SHUFFLE_D( 0, 0, 1, 1 )
pshufw  mm2, mm2, R_SHUFFLE_D( 0, 0, 1, 1 )
pshufw  mm4, mm4, R_SHUFFLE_D( 0, 0, 1, 1 )

movq    tmm3, mm3
movq    tmm2, mm2
movq    tmm4, mm4

movq    mm1, [esi+eax+0*2]
paddsw  mm1, SIMD_MMX_word_128

paddsw  mm3, mm1           // r0, r1, r2, r3   ( y + r )
paddsw  mm2, mm1           // g0, g1, g2, g3   ( y + g )
psubsw  mm1, mm4           // b0, b1, b2, b3   ( y - b )

packuswb mm3, mm3         // r0, r1, r2, r3, r0, r1, r2, r3
packuswb mm2, mm2         // g0, g1, g2, g3, g0, g1, g2, g3
packuswb mm1, mm1         // b0, b1, b2, b3, b0, b1, b2, b3

movq    mm0, [esi+eax+0*2+384*2]
paddsw  mm0, SIMD_MMX_word_128
packuswb mm0, mm0

punpcklbw mm1, mm0        // b0, a0, b1, a1, b2, a2, b3, a3
punpcklbw mm3, mm2        // r0, g0, r1, g1, r2, g2, r3, g3
movq    mm4, mm3          // r0, g0, r1, g1, r2, g2, r3, g3
punpcklwd mm3, mm1        // r0, g0, b0, a0, r1, g1, b1, a1
punpckhwd mm4, mm1        // r2, g2, b2, a2, r3, g3, b3, a3

movq    [edx+0], mm3
movq    [edx+8], mm4

movq    mm2, [esi+eax+4*2]
paddsw  mm2, SIMD_MMX_word_128

paddsw  mm7, mm2           // r0, r1, r2, r3   ( y + r )
paddsw  mm6, mm2           // g0, g1, g2, g3   ( y + b )
psubsw  mm2, mm5           // b0, b1, b2, b3   ( y - g )

packuswb mm7, mm7         // r0, r1, r2, r3, r0, r1, r2, r3
packuswb mm6, mm6         // g0, g1, g2, g3, g0, g1, g2, g3
packuswb mm2, mm2         // b0, b1, b2, b3, b0, b1, b2, b3

movq    mm0, [esi+eax+4*2+384*2]
paddsw  mm0, SIMD_MMX_word_128
packuswb mm0, mm0

punpcklbw mm2, mm0        // b0, a0, b1, a1, b2, a2, b3, a3
punpcklbw mm7, mm6        // r0, g0, r1, g1, r2, g2, r3, g3

```

```

movq    mm5, mm7           // r0, g0, r1, g1, r2, g2, r3, g3
punpcklwd mm7, mm2       // r0, g0, b0, a0, r1, g1, b1, a1
punpckhwd mm5, mm2       // r2, g2, b2, a2, r3, g3, b3, a3

movq    [edx+16], mm7
movq    [edx+24], mm5
add     edx, stride

movq    mm7, tmm7
movq    mm6, tmm6
movq    mm5, tmm5

movq    mm3, tmm3
movq    mm2, tmm2
movq    mm4, tmm4

movq    mm1, [esi+eax+8*2]
paddsw  mm1, SIMD_MMX_word_128

paddsw  mm3, mm1           // r0, r1, r2, r3   ( y + r )
paddsw  mm2, mm1           // g0, g1, g2, g3   ( y + g )
psubsw  mm1, mm4           // b0, b1, b2, b3   ( y - b )

packuswb mm3, mm3         // r0, r1, r2, r3, r0, r1, r2, r3
packuswb mm2, mm2         // g0, g1, g2, g3, g0, g1, g2, g3
packuswb mm1, mm1         // b0, b1, b2, b3, b0, b1, b2, b3

movq    mm0, [esi+eax+8*2+384*2]
paddsw  mm0, SIMD_MMX_word_128
packuswb mm0, mm0

punpcklbw mm1, mm0        // b0, a0, b1, a1, b2, a2, b3, a3
punpcklbw mm3, mm2        // r0, g0, r1, g1, r2, g2, r3, g3
movq     mm4, mm3         // r0, g0, r1, g1, r2, g2, r3, g3
punpcklwd mm3, mm1        // r0, g0, b0, a0, r1, g1, b1, a1
punpckhwd mm4, mm1        // r2, g2, b2, a2, r3, g3, b3, a3

movq    [edx+0], mm3
movq    [edx+8], mm4

movq    mm2, [esi+eax+12*2]
paddsw  mm2, SIMD_MMX_word_128

paddsw  mm7, mm2           // r0, r1, r2, r3   ( y + r )
paddsw  mm6, mm2           // g0, g1, g2, g3   ( y + b )
psubsw  mm2, mm5           // b0, b1, b2, b3   ( y - g )

packuswb mm7, mm7         // r0, r1, r2, r3, r0, r1, r2, r3
packuswb mm6, mm6         // g0, g1, g2, g3, g0, g1, g2, g3
packuswb mm2, mm2         // b0, b1, b2, b3, b0, b1, b2, b3

movq    mm0, [esi+eax+12*2+384*2]
paddsw  mm0, SIMD_MMX_word_128
packuswb mm0, mm0

punpcklbw mm2, mm0        // b0, a0, b1, a1, b2, a2, b3, a3
punpcklbw mm7, mm6        // r0, g0, r1, g1, r2, g2, r3, g3
movq     mm5, mm7         // r0, g0, r1, g1, r2, g2, r3, g3
punpcklwd mm7, mm2        // r0, g0, b0, a0, r1, g1, b1, a1
punpckhwd mm5, mm2        // r2, g2, b2, a2, r3, g3, b3, a3

movq    [edx+16], mm7

```

```
movq    [edx+24], mm5
add     edx, stride

add     edi, 8*2
add     eax, 16*2
jl     loop2

add     ecx, 1
cmp     ecx, 4
jl     loop1

emms
}
}
```

Appendix H

```
/*
SSE2 Optimized 4:2:0 YCoCg -> RGB Conversion
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Lesser General Public License for more details.
*/

void YCoCgAToRGBA_SSE2( const short *YCoCgA, byte *rgba, int stride ) {
    assert( NUM_CHANNELS == 4 );           // this code assumes four channels per pixel
    assert_16_byte_aligned( rgba );
    assert_16_byte_aligned( YCoCgA );
    assert( ( stride & 15 ) == 0 );

    __asm {
        xor     ecx, ecx                // ecx = k
        mov     esi, YCoCgA

        // iterates 4 times, writes out one 8*8 block of the 16*16 tile per iteration
    loop1:
        mov     eax, ecx
        and     eax, 2                  // (k&2)
        mov     edx, ecx
        and     edx, 1                  // (k&1)

        lea    edi, [edx+eax*4]
        shl    edi, 3
        add    edi, dword ptr [YCoCgA]
        add    edi, 256*2                // YCoCgA + ( 256 + ( (k&2) * 4 + (k&1) ) * 4 ) * sizeof( YCoCgA[0] )

        imul   eax, stride
        lea    edx, [eax+edx*(NUM_CHANNELS*2)]
        shl    edx, 2
        add    edx, dword ptr [rgba]     // rgba + ( (k&2) * stride + (k&1) * (NUM_CHANNELS*2) ) * 4

        mov    eax, -4*16*2
        add    esi, 4*16*2

        // iterates 4 times, writes out 2 rows of an 8*8 block per iteration
    loop2:
        movq   xmm4, qword ptr [edi+ 0*2] // xmm4 = co
        punpcklwd xmm4, xmm4

        movq   xmm2, qword ptr [edi+64*2] // xmm2 = g = cg
        punpcklwd xmm2, xmm2

        movdqa xmm3, xmm4                // xmm3 = co
        psubsw xmm3, xmm2                // xmm3 = r = co - cg
        paddsw xmm4, xmm2                // xmm4 = b = co + cg
    }
```

```

movdqa  xmm7, xmm3          // xmm7 = r
movdqa  xmm6, xmm2          // xmm6 = g
movdqa  xmm5, xmm4          // xmm5 = b

movdqa  xmm1, qword ptr [esi+eax+0*2]
paddsw  xmm1, SIMD_SSE2_word_128

paddsw  xmm3, xmm1          // r0, r1, r2, r3   ( y + r )
paddsw  xmm2, xmm1          // g0, g1, g2, g3   ( y + g )
psubsw  xmm1, xmm4          // b0, b1, b2, b3   ( y - b )

packuswb xmm3, xmm3          // r0, r1, r2, r3, r0, r1, r2, r3
packuswb xmm2, xmm2          // g0, g1, g2, g3, g0, g1, g2, g3
packuswb xmm1, xmm1          // b0, b1, b2, b3, b0, b1, b2, b3

movdqa  xmm0, qword ptr [esi+eax+0*2+384*2]
paddsw  xmm0, SIMD_SSE2_word_128
packuswb xmm0, xmm0

punpcklbw xmm1, xmm0          // b0, a0, b1, a1, b2, a2, b3, a3
punpcklbw xmm3, xmm2          // r0, g0, r1, g1, r2, g2, r3, g3
movdqa  xmm4, xmm3          // r0, g0, r1, g1, r2, g2, r3, g3
punpcklwd xmm3, xmm1          // r0, g0, b0, a0, r1, g1, b1, a1
punpckhwd xmm4, xmm1          // r2, g2, b2, a1, r3, g3, b3, a3

movdqa  [edx+ 0], xmm3
movdqa  [edx+16], xmm4
add     edx, stride

movdqa  xmm2, qword ptr [esi+eax+8*2]
paddsw  xmm2, SIMD_SSE2_word_128

paddsw  xmm7, xmm2          // r0, r1, r2, r3   ( y + r )
paddsw  xmm6, xmm2          // g0, g1, g2, g3   ( y + g )
psubsw  xmm2, xmm5          // b0, b1, b2, b3   ( y - b )

packuswb xmm7, xmm7          // r0, r1, r2, r3, r0, r1, r2, r3
packuswb xmm6, xmm6          // g0, g1, g2, g3, g0, g1, g2, g3
packuswb xmm2, xmm2          // b0, b1, b2, b3, b0, b1, b2, b3

movdqa  xmm0, qword ptr [esi+eax+8*2+384*2]
paddsw  xmm0, SIMD_SSE2_word_128
packuswb xmm0, xmm0

punpcklbw xmm2, xmm0          // b0, a0, b1, a1, b2, a1, b3, a3
punpcklbw xmm7, xmm6          // r0, g0, r1, g1, r2, g2, r3, g3
movdqa  xmm5, xmm7          // r0, g0, r1, g1, r2, g2, r3, g3
punpcklwd xmm7, xmm2          // r0, g0, b0, a0, r1, g1, b1, a1
punpckhwd xmm5, xmm2          // r2, g2, b2, a2, r3, g3, b3, a2

movdqa  [edx+ 0], xmm7
movdqa  [edx+16], xmm5
add     edx, stride

add     edi, 8*2
add     eax, 16*2
jl     loop2

add     ecx, 1
cmp     ecx, 4
jl     loop1

```

}
}